



Dynamical description of strongly interacting parton-hadron matter

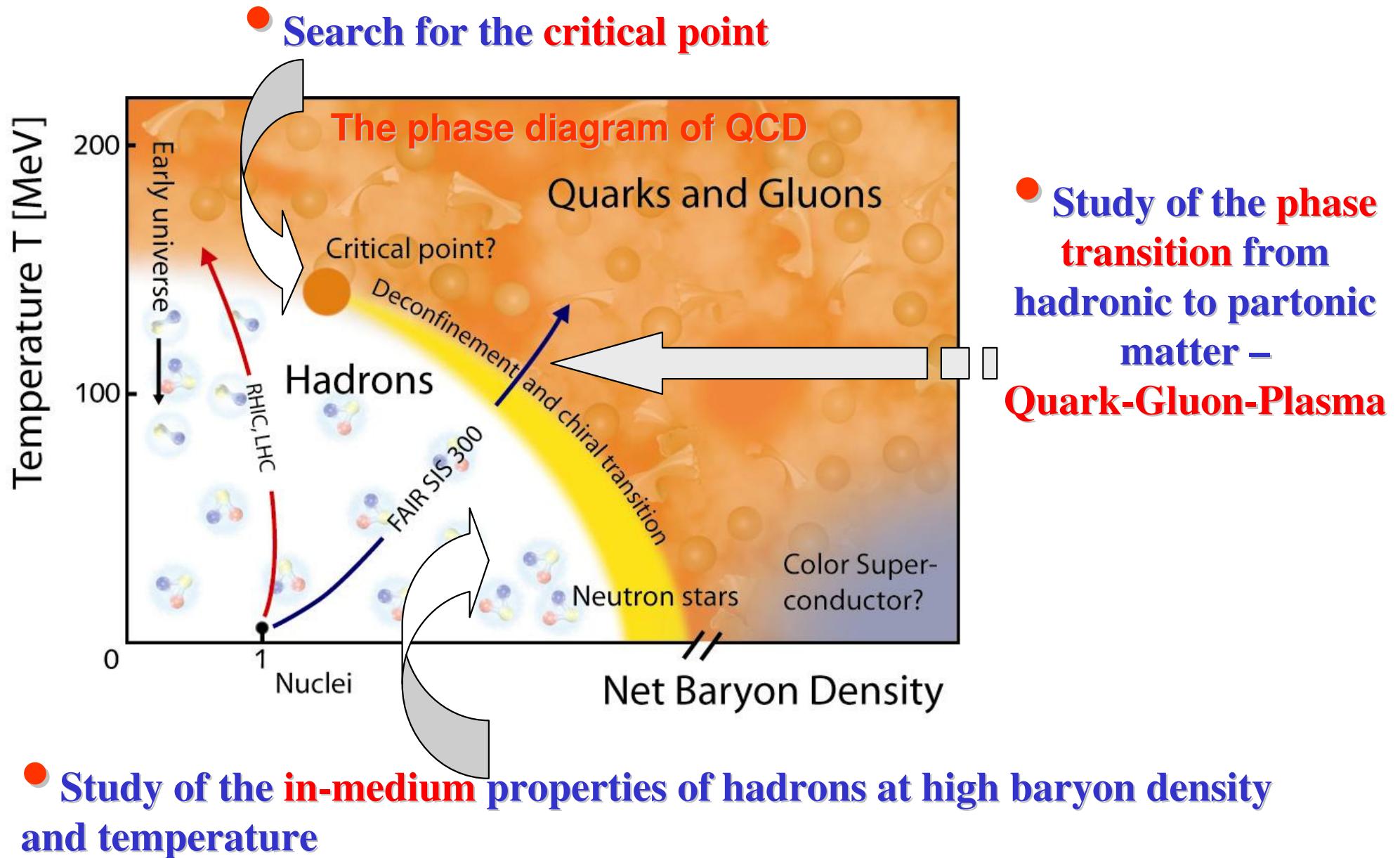
Elena Bratkovskaya

Institut für Theoretische Physik & FIAS, Uni. Frankfurt

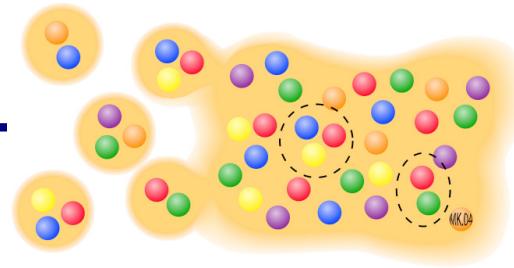


*The 9th Relativistic Aspects of Nuclear Physics workshop
(RANP2013), September 23 to 27, 2013, Rio de Janeiro, Brazil*

The holy grail of heavy-ion physics:



From hadrons to partons



In order to study the **phase transition** from hadronic to partonic matter – **Quark-Gluon-Plasma** – we need a consistent non-equilibrium (transport) model with

- explicit parton-parton interactions (i.e. between quarks and gluons) beyond strings!
- explicit phase transition from hadronic to partonic degrees of freedom
- lQCD EoS for partonic phase

Transport theory: off-shell Kadanoff-Baym equations for the Green-functions $S_h^<(x,p)$ in phase-space representation for the partonic and hadronic phase



Parton-Hadron-String-Dynamics (PHSD)



QGP phase described by

W. Cassing, E. Bratkovskaya, PRC 78 (2008) 034919;
NPA831 (2009) 215;
W. Cassing, EPJ ST 168 (2009) 3

Dynamical QuasiParticle Model (DQPM)

A. Peshier, W. Cassing, PRL 94 (2005) 172301;
Cassing, NPA 791 (2007) 365; NPA 793 (2007)

Dynamical QuasiParticle Model (DQPM) - Basic ideas:

DQPM describes QCD properties in terms of ,resummed‘ single-particle Green’s functions – in the sense of a two-particle irreducible (2PI) approach:

$$\text{Gluon propagator: } \Delta^{-1} = P^2 - \Pi$$

$$\text{gluon self-energy: } \Pi = M_g^2 - i2\Gamma_g\omega$$

$$\text{Quark propagator: } S_q^{-1} = P^2 - \Sigma_q$$

$$\text{quark self-energy: } \Sigma_q = M_q^2 - i2\Gamma_q\omega$$

- the resummed properties are specified by complex self-energies which depend on temperature:
 - the real part of self-energies (Σ_q, Π) describes a dynamically generated mass (M_q, M_g);
 - the imaginary part describes the interaction width of partons (Γ_q, Γ_g)
- space-like part of energy-momentum tensor $T_{\mu\nu}$ defines the potential energy density and the mean-field potential (1PI) for quarks and gluons
- 2PI framework guarantees a consistent description of the system in- and out-of equilibrium on the basis of Kadanoff-Baym equations

The Dynamical QuasiParticle Model (DQPM)

Properties of interacting quasi-particles: massive quarks and gluons (g, q, \bar{q} , $q_{\bar{q}}$) with Lorentzian spectral functions :

($i = q, \bar{q}, g$)

$$\rho_i(\omega, T) = \frac{4\omega\Gamma_i(T)}{\left(\omega^2 - \vec{p}^2 - M_i^2(T)\right)^2 + 4\omega^2\Gamma_i^2(T)}$$

■ Modeling of the quark/gluon masses and widths \rightarrow HTL limit at high T

■ quarks:

mass: $M_{q(\bar{q})}^2(T) = \frac{N_c^2 - 1}{8N_c} g^2 \left(T^2 + \frac{\mu_q^2}{\pi^2} \right)$

width: $\Gamma_{q(\bar{q})}(T) = \frac{1}{3} \frac{N_c^2 - 1}{2N_c} \frac{g^2 T}{8\pi} \ln\left(\frac{2c}{g^2} + 1\right)$

■ gluons:

$$M_g^2(T) = \frac{g^2}{6} \left(\left(N_c + \frac{N_f}{2} \right) T^2 + \frac{N_c}{2} \sum_q \frac{\mu_q^2}{\pi^2} \right)$$

$$\Gamma_g(T) = \frac{1}{3} N_c \frac{g^2 T}{8\pi} \ln\left(\frac{2c}{g^2} + 1\right)$$

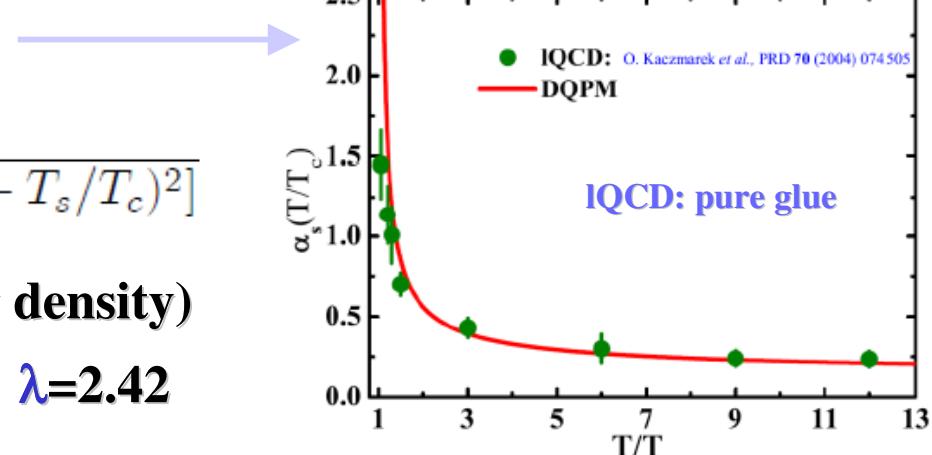
$N_c = 3, N_f = 3$

■ running coupling (pure glue):

$$\alpha_s(T) = \frac{g^2(T)}{4\pi} = \frac{12\pi}{(11N_c - 2N_f) \ln[\lambda^2(T/T_c - T_s/T_c)^2]}$$

□ fit to lattice (lQCD) results (e.g. entropy density)

with 3 parameters: $T_s/T_c = 0.46$; $c = 28.8$; $\lambda = 2.42$
(for pure glue $N_f = 0$)

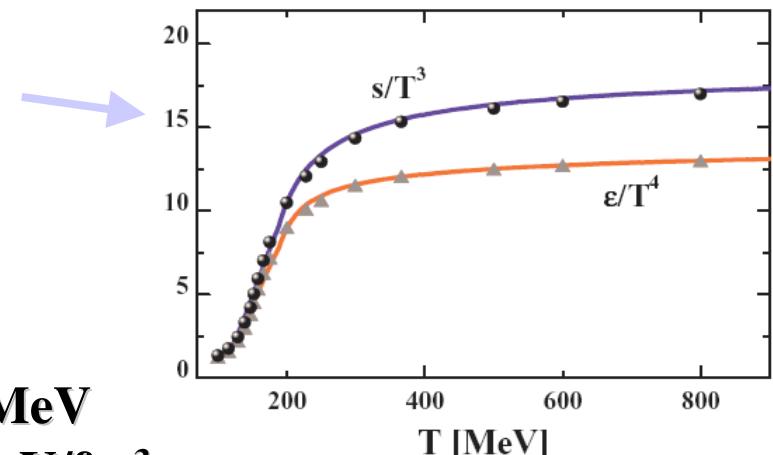


DQPM: Peshier, Cassing, PRL 94 (2005) 172301;
Cassing, NPA 791 (2007) 365; NPA 793 (2007)

The Dynamical QuasiParticle Model (DQPM)

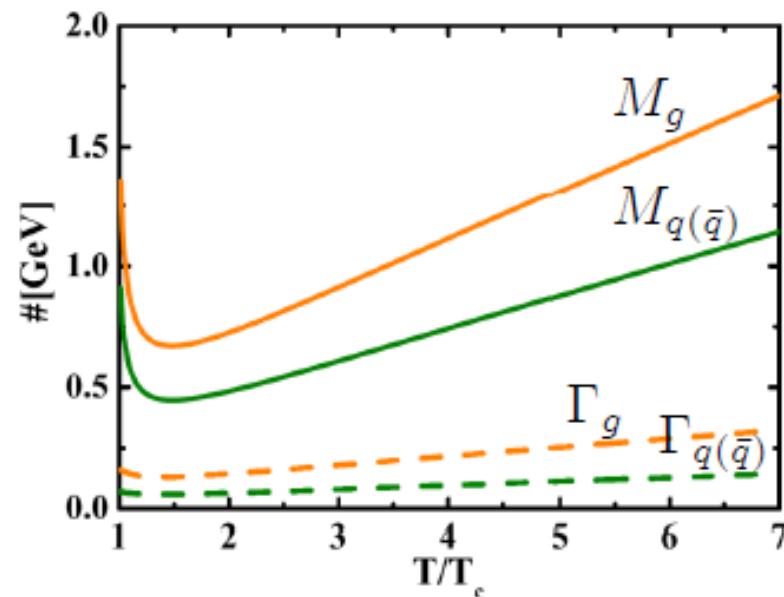
- fit to lattice (lQCD) results (e.g. entropy density)

* BMW lQCD data S. Borsanyi et al., JHEP 1009 (2010) 073



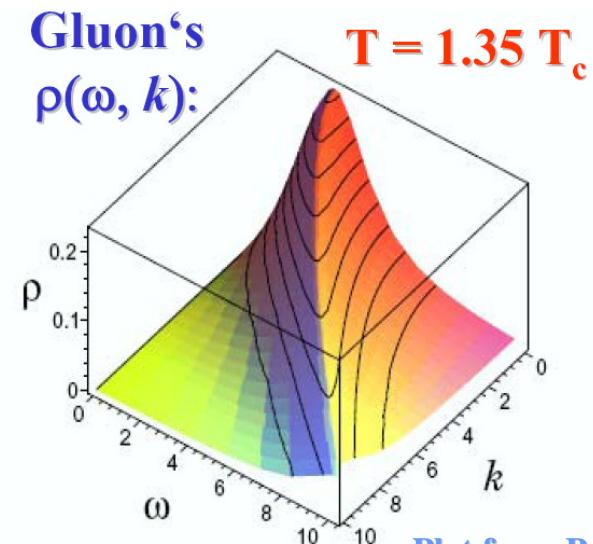
→ Quasiparticle properties:

- large width and mass for gluons and quarks



$$T_c = 158 \text{ MeV}$$

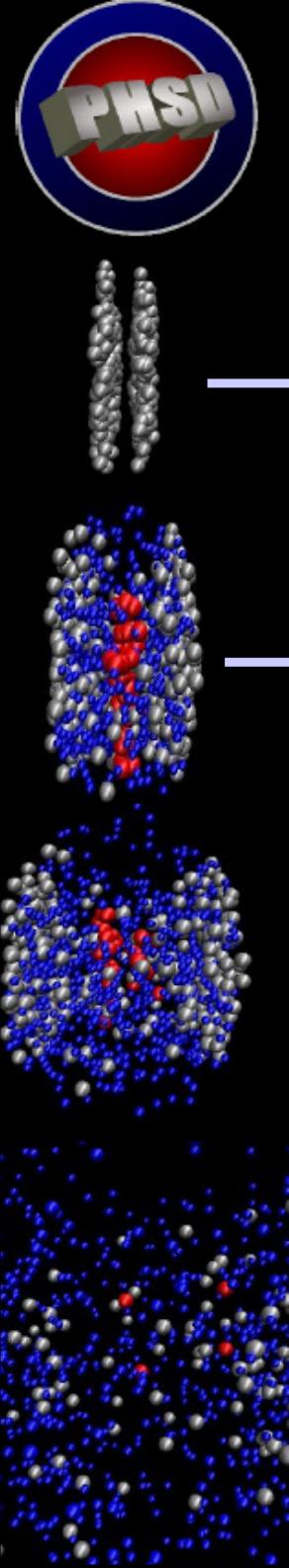
$$\varepsilon_c = 0.5 \text{ GeV/fm}^3$$



Plot from Peshier,
PRD 70 (2004)
034016

- DQPM matches well lattice QCD
- DQPM provides mean-fields (1PI) for gluons and quarks as well as effective 2-body interactions (2PI)
- DQPM gives transition rates for the formation of hadrons → PHSD

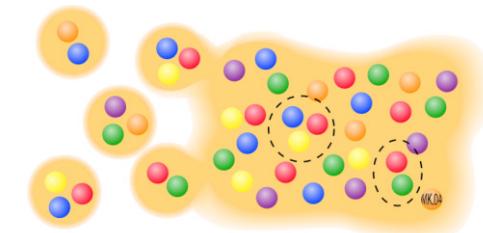
I. PHSD - basic concept



I. From hadrons to QGP:

- **Initial A+A collisions – as in HSD:**
 - string formation in primary NN collisions
 - string decay to pre-hadrons (B - baryons, m - mesons)

- **Formation of QGP stage by dissolution of pre-hadrons**
(all new produced secondary hadrons)
into **massive colored quarks + mean-field energy**



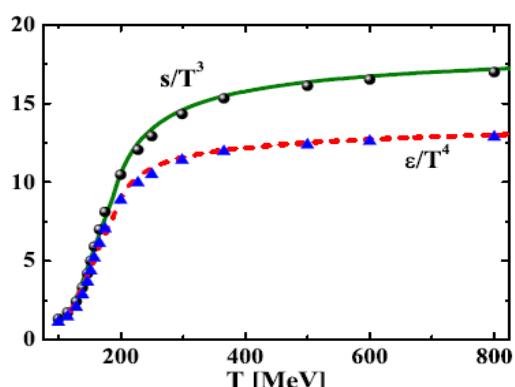
QGP phase:
 $\varepsilon > \varepsilon_{\text{critical}}$

$$B \rightarrow qqq, \quad m \rightarrow q\bar{q} \quad \forall \quad U_q$$

based on the **Dynamical Quasi-Particle Model (DQPM)** which defines
quark spectral functions, i.e. masses $M_q(\varepsilon)$ and widths $\Gamma_q(\varepsilon)$

- + **mean-field potential U_q at given ε – local energy density**

(ε related by lQCD EoS to T - temperature in the local cell)

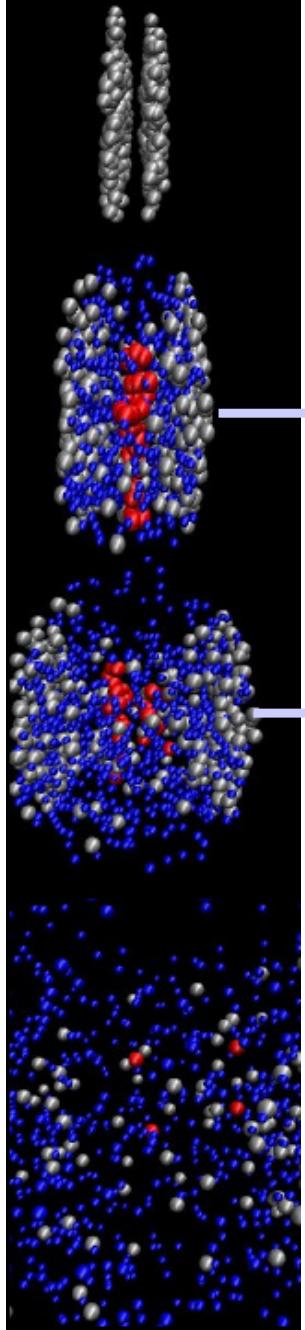


W. Cassing, E. Bratkovskaya, PRC 78 (2008) 034919;
NPA831 (2009) 215; EPJ ST 168 (2009) 3; NPA856 (2011) 162.



II. PHSD - basic concept

II. Partonic phase - QGP:



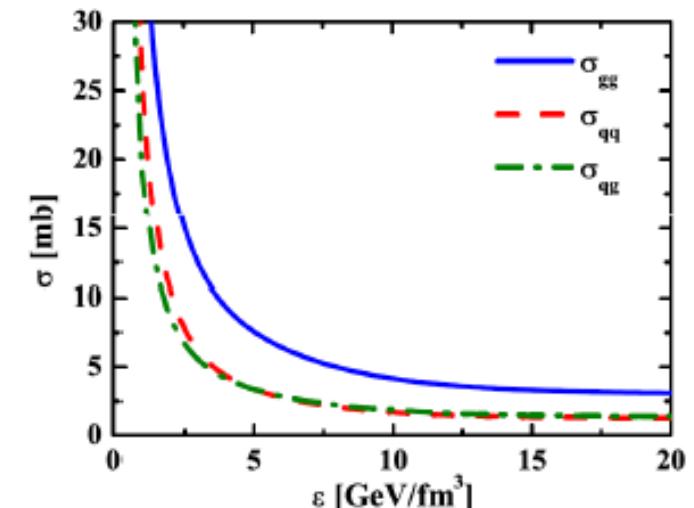
- quarks and gluons (= ‚dynamical quasiparticles‘)
with off-shell spectral functions (width, mass) defined by the DQPM
- in self-generated mean-field potential for quarks and gluons U_q, U_g from the DQPM
 - EoS of partonic phase: ‚crossover‘ from lattice QCD (fitted by DQPM)
 - (quasi-) elastic and inelastic parton-parton interactions:
using the effective cross sections from the DQPM

- (quasi-) elastic collisions:

$$\begin{array}{ll} q + q \rightarrow q + q & g + q \rightarrow g + q \\ q + \bar{q} \rightarrow q + \bar{q} & g + \bar{q} \rightarrow g + \bar{q} \\ \bar{q} + \bar{q} \rightarrow \bar{q} + \bar{q} & g + g \rightarrow g + g \end{array}$$

- inelastic collisions:

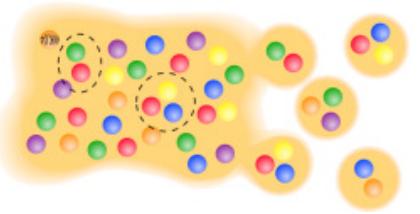
(Breight-Wigner cross sections)



suppressed (<1%)
due to the large
mass of gluons



III. PHSD - basic concept



III. Hadronization:

- **Hadronization:** based on DQPM
- massive, off-shell (anti-)quarks with broad spectral functions hadronize to off-shell mesons and baryons or color neutral excited states - ,strings‘ (strings act as ,doorway states‘ for hadrons)

$$g \rightarrow q + \bar{q}, \quad q + \bar{q} \leftrightarrow \text{meson ('string')}$$

$$q + q + q \leftrightarrow \text{baryon ('string')}$$

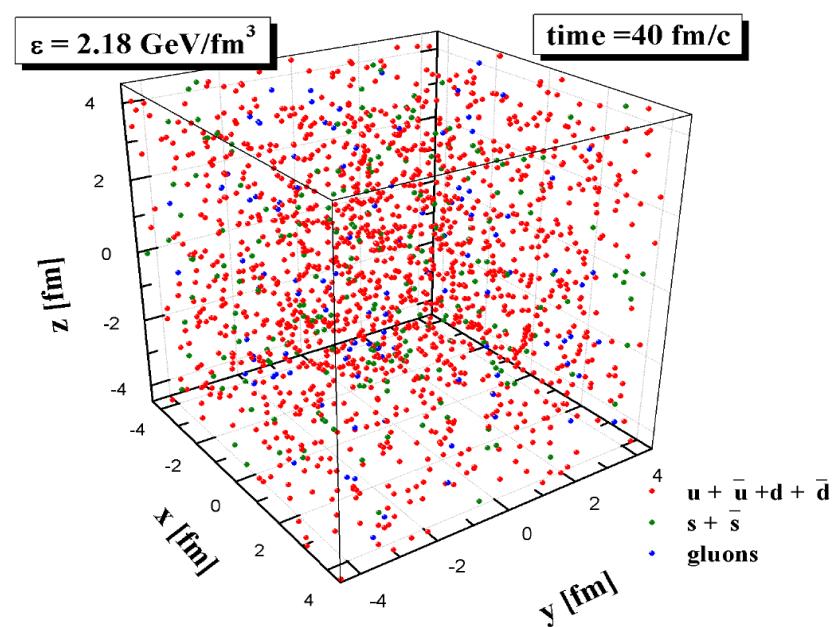
- Local covariant off-shell transition rate for $q+q\bar{q}$ fusion
→ meson formation:

$$\frac{dN^{q+\bar{q}\rightarrow m}}{d^4x \ d^4p} = Tr_q Tr_{\bar{q}} \delta^4(p - p_q - p_{\bar{q}}) \delta^4\left(\frac{x_q + x_{\bar{q}}}{2} - x\right) \delta(\text{flavor, color}) \\ \cdot N_q(x_q, p_q) N_{\bar{q}}(x_{\bar{q}}, p_{\bar{q}}) \cdot \underline{\omega_q \rho_q(p_q)} \cdot \underline{\omega_{\bar{q}} \rho_{\bar{q}}(p_{\bar{q}})} \cdot \underline{|M_{q\bar{q}}|^2} \underline{W_m(x_q - x_{\bar{q}}, p_q - p_{\bar{q}})}$$

- $N_j(x, p)$ is the phase-space density of parton j at space-time position x and 4-momentum p
- W_m is the phase-space distribution of the formed ,pre-hadrons‘ (Gaussian in phase space)
- $|M_{q\bar{q}}|^2$ is the effective quark-antiquark interaction from the DQPM

IV. Hadronic phase: hadron-string interactions – off-shell HSD

Properties of the QGP in-equilibrium using PHSD



Properties of parton-hadron matter in equilibrium

V. Ozvenchuk et al., PRC 87 (2013) 024901, arXiv:1203.4734

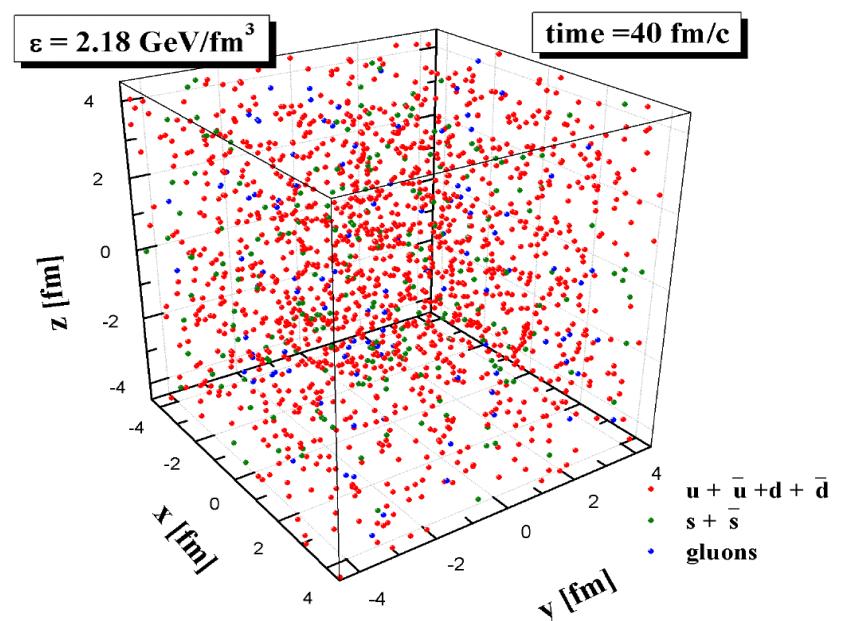
V. Ozvenchuk et al., PRC 87 (2013) 064903, arXiv:1212.5393

The goal:

- **study of the dynamical equilibration of QGP within the non-equilibrium off-shell PHSD transport approach**
- **transport coefficients (shear and bulk viscosities) of strongly interacting partonic matter in equilibrium**
- **particle number fluctuations (scaled variance, skewness, kurtosis)**

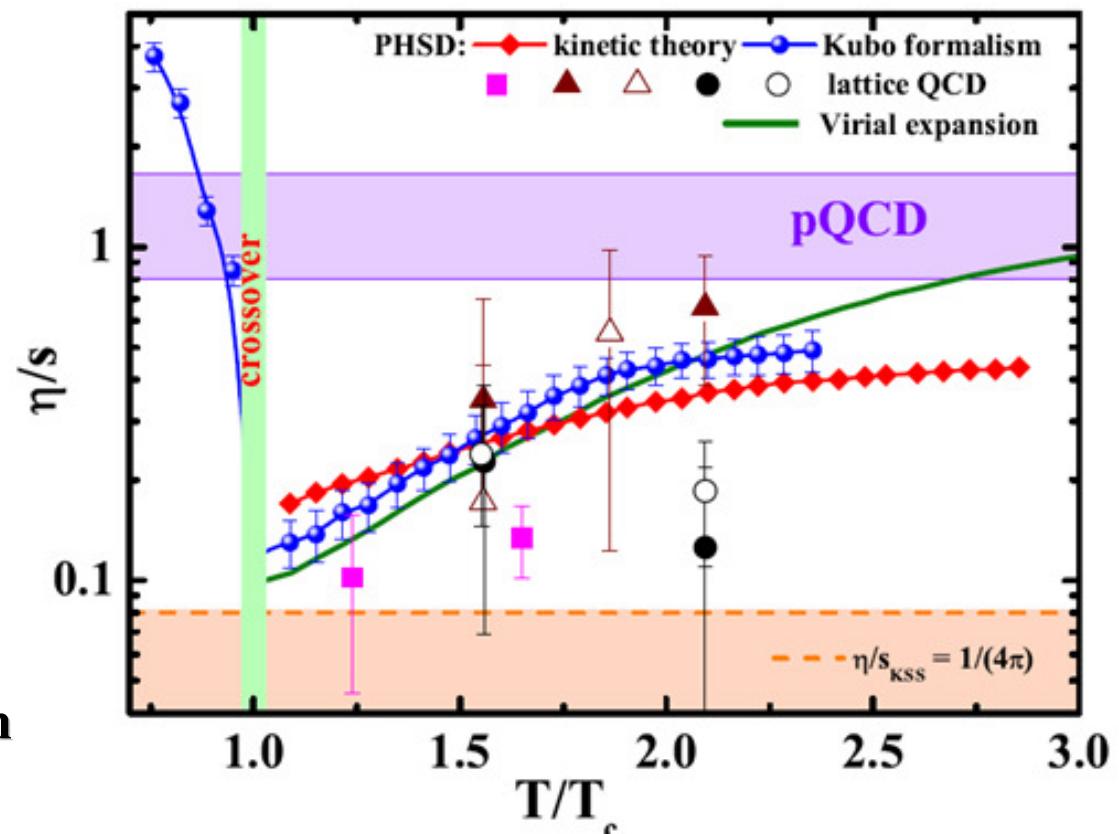
Realization:

- Initialize the system in a **finite box with periodic boundary conditions** with some energy density ϵ and chemical potential μ_q
- Evolve the system in time until equilibrium is achieved



η/s using Kubo formalism and the relaxation time approximation (‘kinetic theory’)

- $T=T_C$: η/s shows a minimum (~ 0.1) close to the critical temperature
- $T>T_C$: QGP - pQCD limit at higher temperatures $T > 3 T_c$
- $T < T_C$: fast increase of the ratio η/s for hadronic matter →
 - lower interaction rate of hadronic system
 - smaller number of degrees of freedom (or entropy density) for hadronic matter compared to the QGP



Virial expansion: S. Mattiello, W. Cassing,
Eur. Phys. J. C 70, 243 (2010).

QGP in PHSD = strongly-interacting liquid

Transport coefficients from (P)NJL: shear viscosity

R. Marty, E.B., W. Cassing, J. Aichelin, H. Berrehrah, arXiv:1305.7180 [hep-ph]

- **NJL $SU(3)_f$ model** (from Nantes group)

$$\mathcal{L}_{NJL} = \bar{\psi} (i\partial - m_0) \psi + G \sum_{a=0}^8 \left[(\bar{\psi} \lambda^a \psi)^2 + (\bar{\psi} i \gamma_5 \lambda^a \psi)^2 \right] - K [\det \bar{\psi} (1 - \gamma_5) \psi + \det \bar{\psi} (1 + \gamma_5) \psi]$$

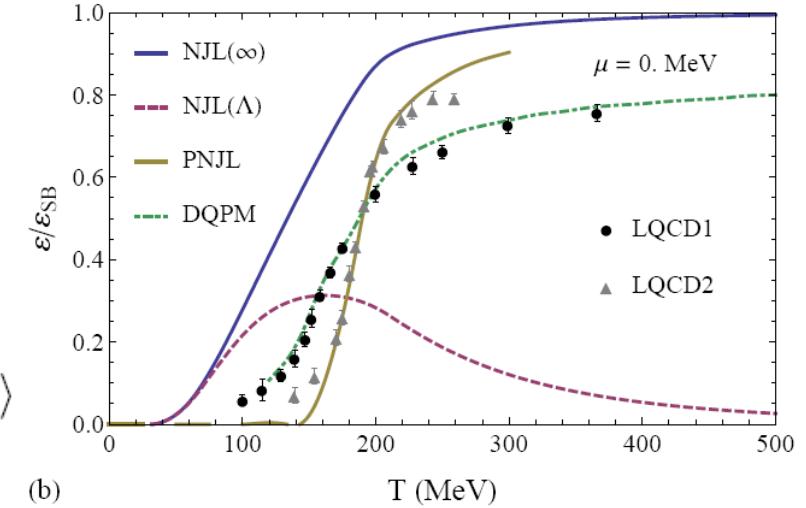
- **masses:** $m_i = m_{0i} - 4G\langle\langle\bar{\psi}_i \psi_i\rangle\rangle + 2K\langle\langle\bar{\psi}_j \psi_j\rangle\rangle\langle\langle\bar{\psi}_k \psi_k\rangle\rangle$

- **quark condensate in the mean field limit:**

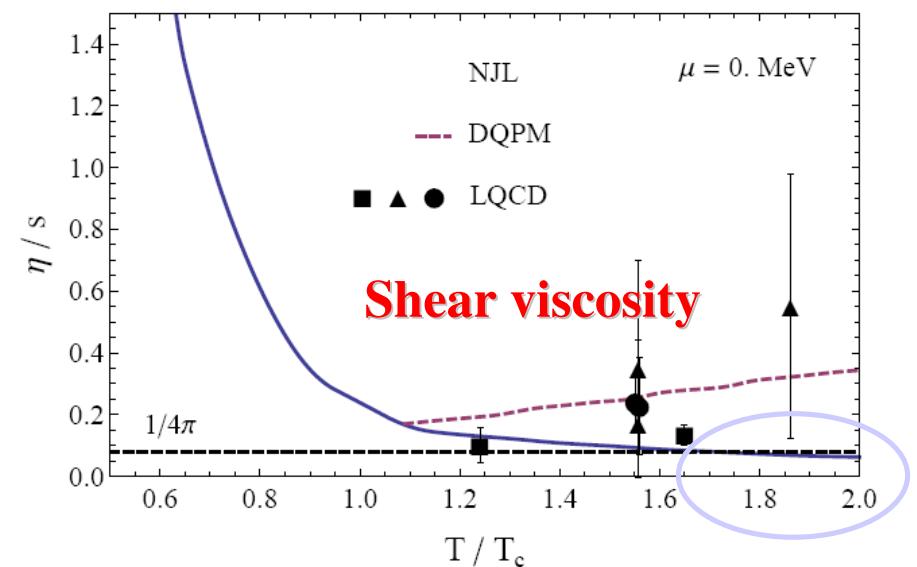
$$\langle\langle\bar{\psi}_i \psi_i\rangle\rangle = -2N_c \int_0^\Lambda \frac{d^3 p}{(2\pi)^3} \frac{m_i}{E_{ip}} [1 - f_q - f_{\bar{q}}]$$

- **NJL: $\eta/s < 1/4\pi$ for $T > 1.7 T_c$**
→ the applicability of the NJL model should be restricted to temperatures at least below $1.7 T_c$

NJL: $T_c = T_{Mott} = 200$ MeV



(b)



LQCD1: S. Borsanyi, G. Endrodi, Z. Fodor, A. Jakovac, S. D. Katz, et al., JHEP 1011, 077 (2010)
LQCD2: M. Cheng, S. Ejiri, P. Hegde, F. Karsch, O. Kaczmarek, et al., Phys. Rev. D 81, 054504 (2010)
PNJL: P. Costa, M. Ruivo, C. de Sousa, and H. Hansen, Symmetry 2, 1338 (2010)

Bulk viscosity (mean-field effects)

- bulk viscosity in relaxation time approximation with mean-field effects:

Chakraborty, Kapusta, Phys. Rev.C 83, 014906 (2011).

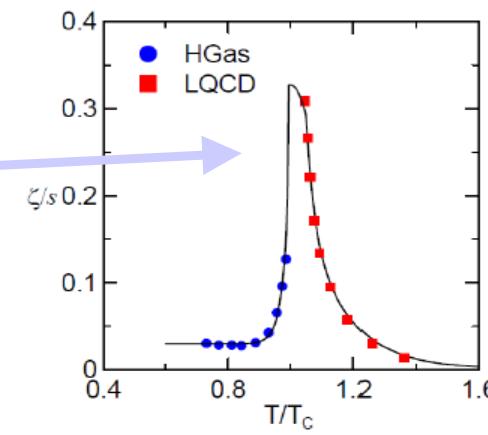
$$\zeta = \frac{1}{TV} \sum_{i=1}^N \frac{\Gamma_i^{-1}}{E_i^2} \left[\left(\frac{1}{3} - v_s^2 \right) |\mathbf{p}|^2 - v_s^2 \left(m_i^2 - T^2 \frac{dm_i^2}{dT^2} \right) \right]^2$$

use DQPM results for masses for $\mu_q=0$:

PHSD using the relaxation time approximation:

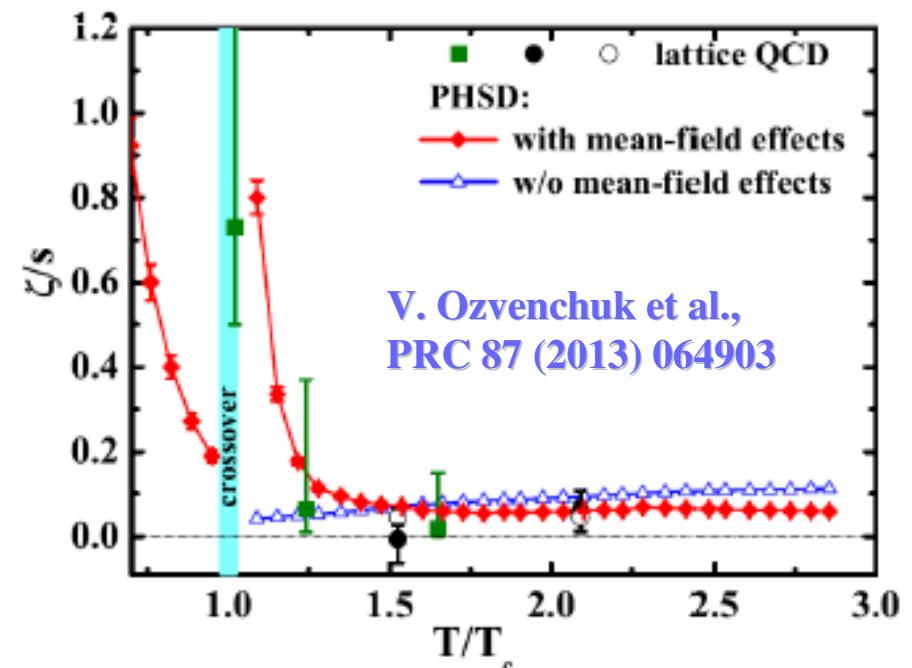
- significant rise in the vicinity of the critical temperature

- in line with the ratio from lQCD calculations



Cf. talk by
Gabriel Denicol

$m_q^2 = \frac{1}{3} g^2 T^2, \quad m_g^2 = \frac{3}{4} g^2 T^2$

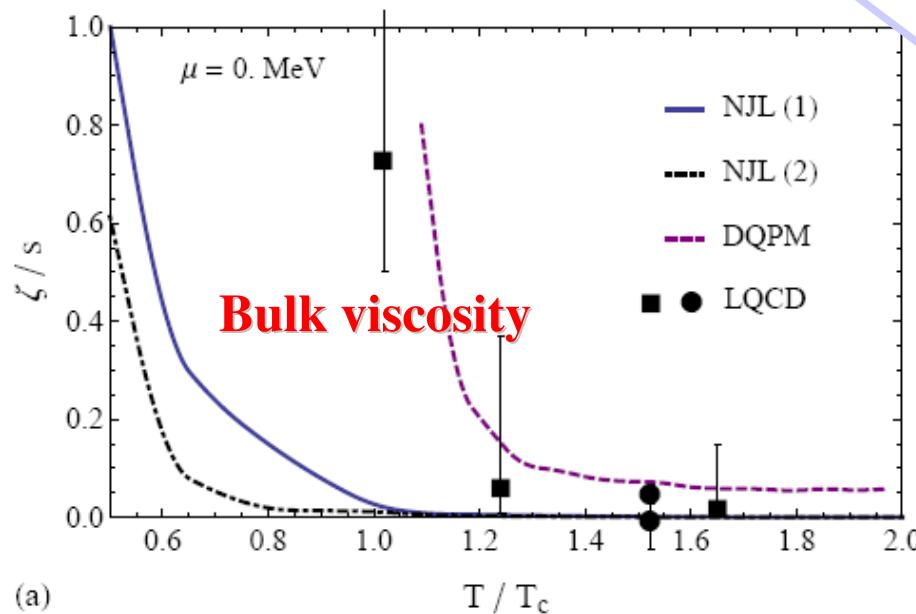


lQCD: Meyer, Phys. Rev. Lett. 100, 162001 (2008);
Sakai,Nakamura, PoS LAT2007, 221 (2007).

Transport coefficients from (P)NJL: bulk viscosity

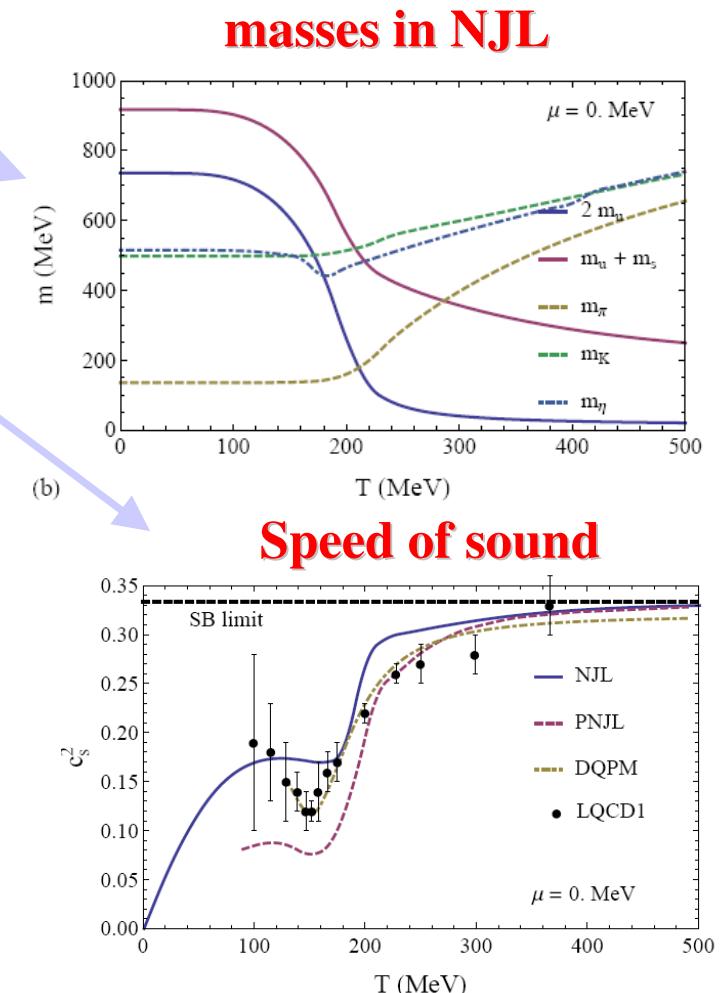
R. Marty, E.B., W. Cassing, J. Aichelin, H. Berrehrah, arXiv:1305.7180 [hep-ph]

$$\zeta = \frac{1}{TV} \sum_{i=1}^N \frac{\Gamma_i^{-1}}{E_i^2} \left[\left(\frac{1}{3} - v_s^2 \right) |\mathbf{p}|^2 - v_s^2 \left(m_i^2 - T^2 \frac{dm_i^2}{dT^2} \right) \right]^2$$



NJL (1): NJL using the RTA method Chakraborty, Kapusta, Phys. Rev.C 83, 014906 (2011)

NJL (2): NJL model with method from Sasaki, Redlich, Phys.Rev. C79, 055207 (2009)



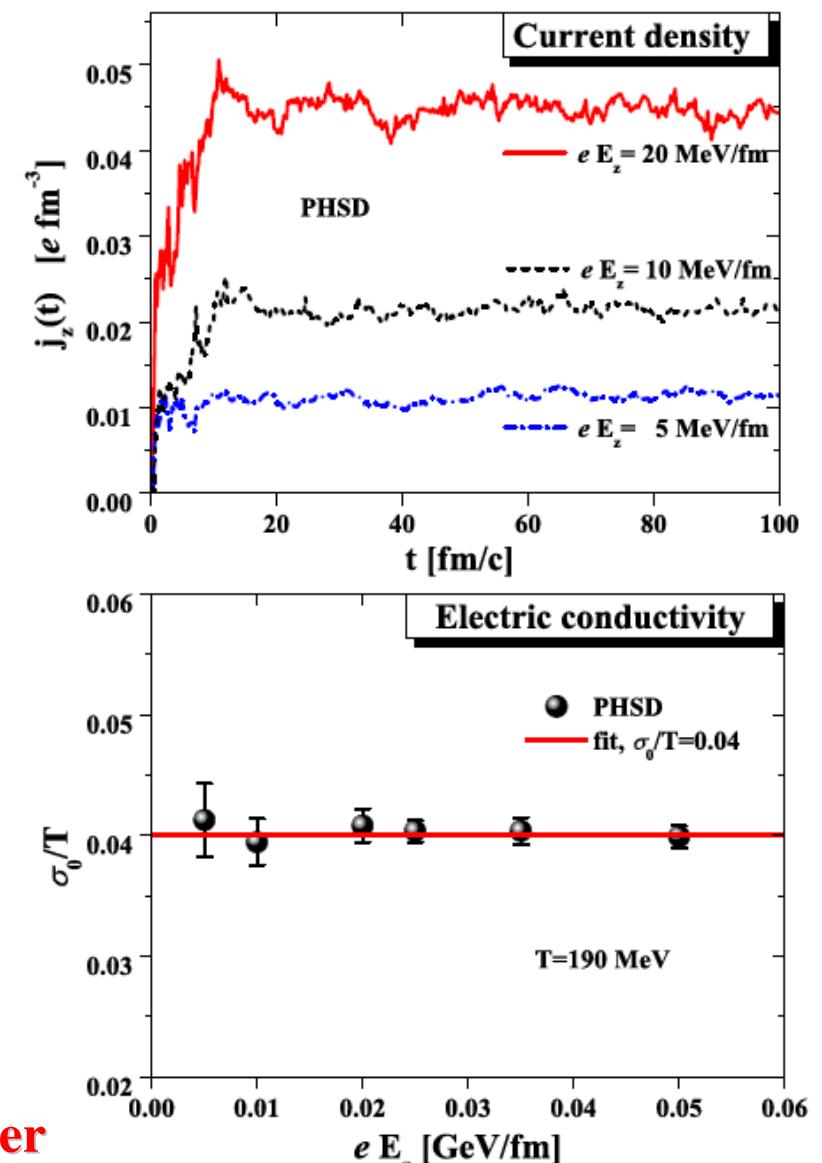
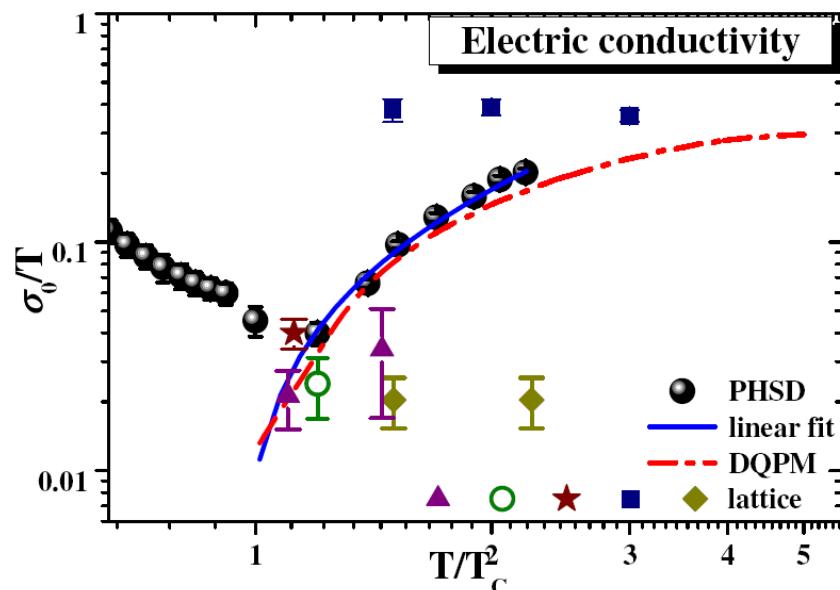
ζ/s from NJL is not consistent with the available lQCD data



Properties of parton-hadron matter – electric conductivity

- The response of the strongly-interacting system in equilibrium to an **external electric field eE_z** defines the **electric conductivity σ_0** :

$$\frac{\sigma_0}{T} = \frac{j_{eq}}{E_z T}, \quad j_z(t) = \frac{1}{V} \sum_j eq_j \frac{p_z^j(t)}{M_j(t)},$$



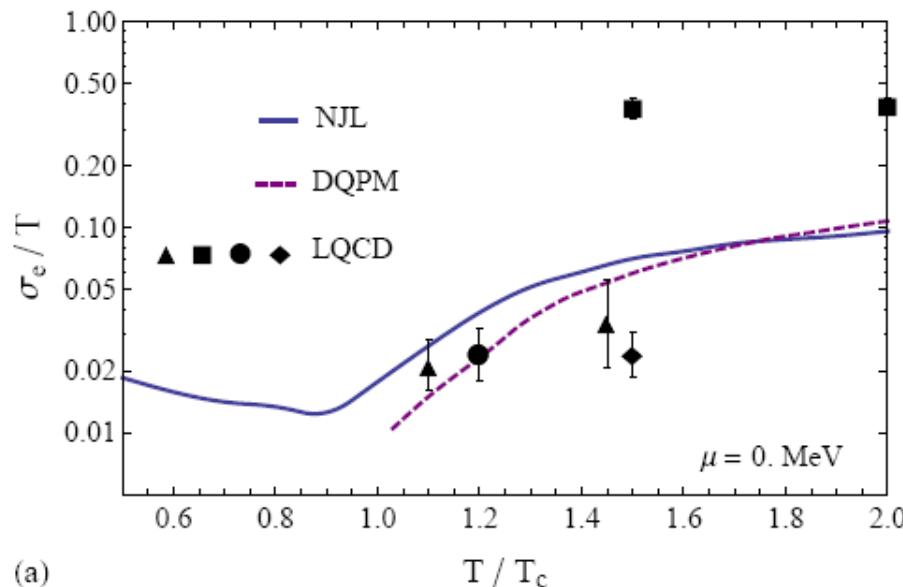
- the **QCD matter** even at $T \sim T_c$ is a **much better electric conductor than Cu or Ag** (at room temperature) by a factor of 500 !

Transport coefficients from NJL: electric and heat conductivity

R. Marty, E.B., W. Cassing, J. Aichelin, H. Berrehrah, arXiv:1305.7180 [hep-ph]

Electric conductivity

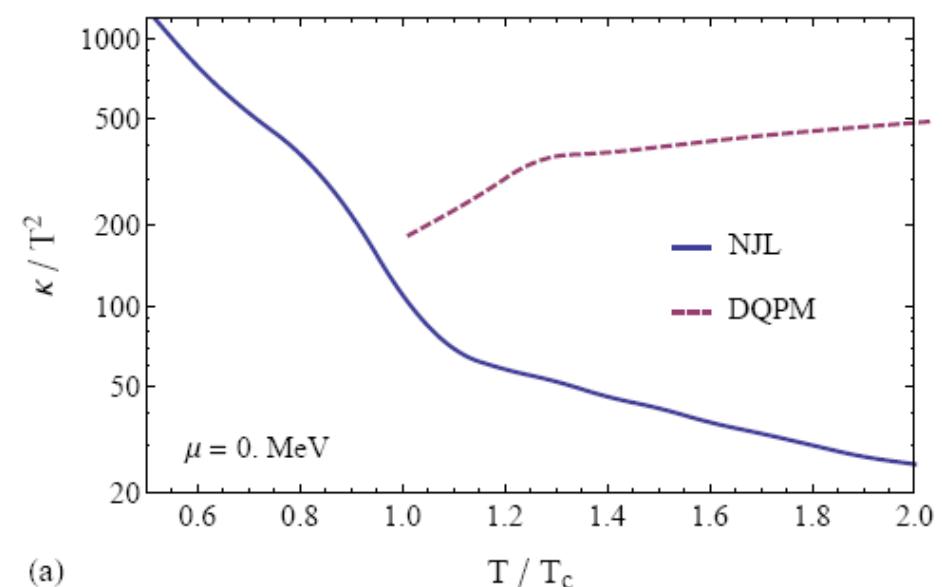
$$\sigma_e(T, \mu) = \sum_q \frac{e_q^2 n_q(T, \mu) \tau_q(T, \mu)}{m_q(T, \mu)} \quad q = u, d, s, \bar{u}, \bar{d}, \bar{s},$$



Heat conductivity

$$\kappa(T, \mu) = \frac{1}{3} v_{\text{rel}} c_V(T, \mu) \sum_f \tau_f(T, \mu)$$

specific heat relaxation time

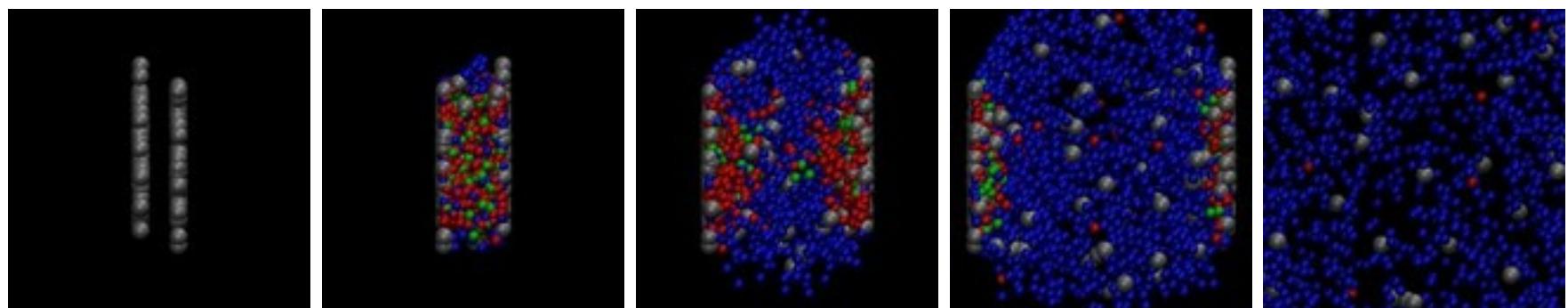


For $T > T_c$:

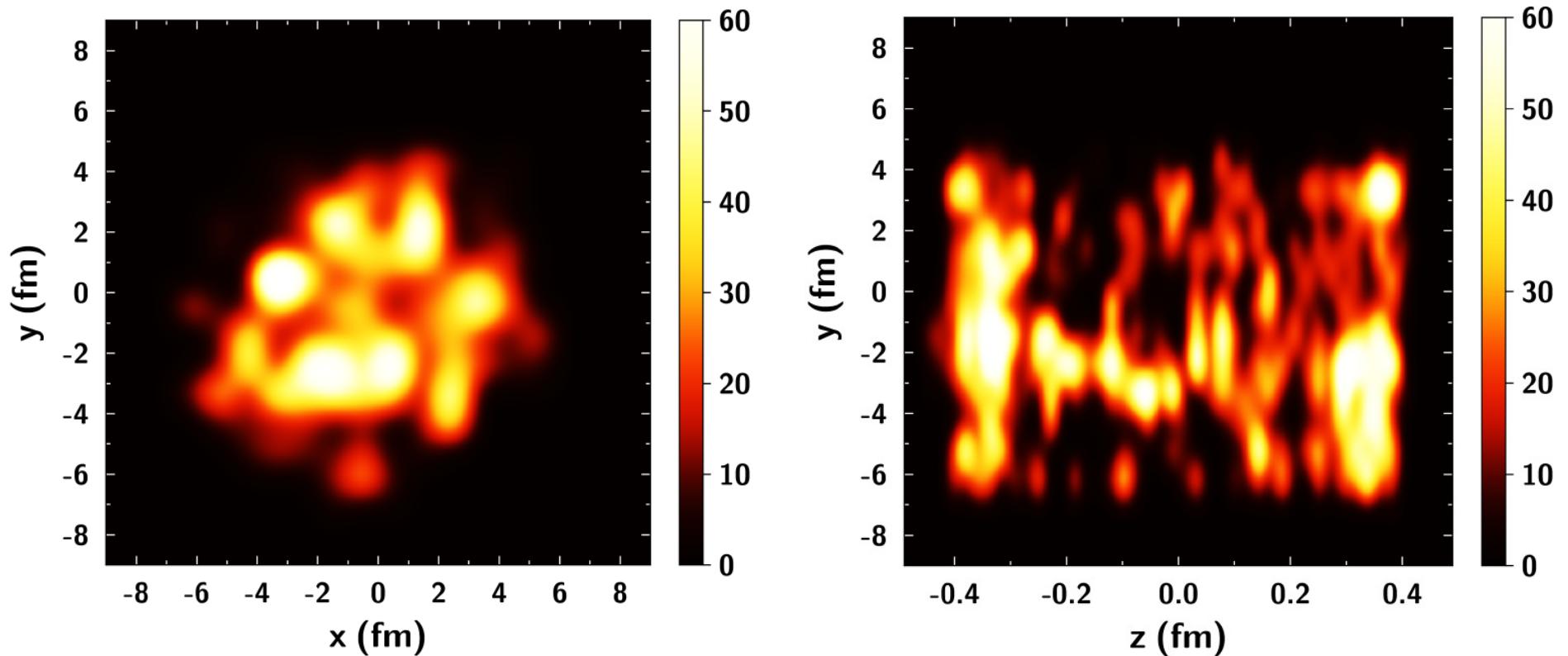


- electric conductivity from NJL and DQPM agree roughly with lQCD
- heat conductivity from NJL and DQPM show very different behavior
=> lQCD data are needed !

Properties of the QGP out-of-equilibrium using PHSD



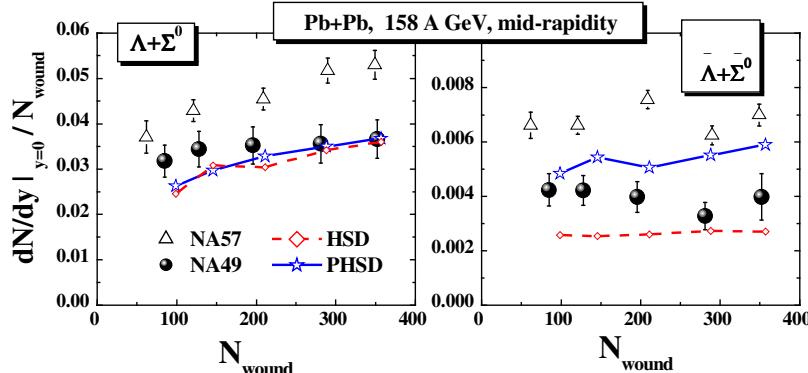
Energy density $\epsilon(\text{GeV}/\text{fm}^2)$ for Au+Au at $s^{1/2} = 200 \text{ GeV}$
with impact parameter $b = 2 \text{ fm}$ in the rest frame



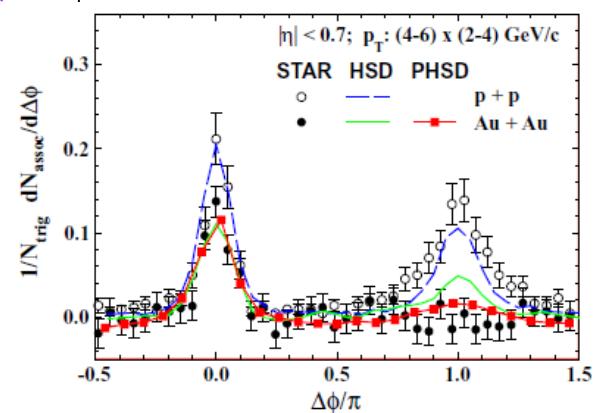
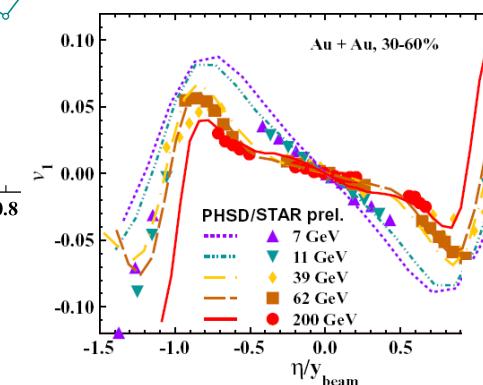
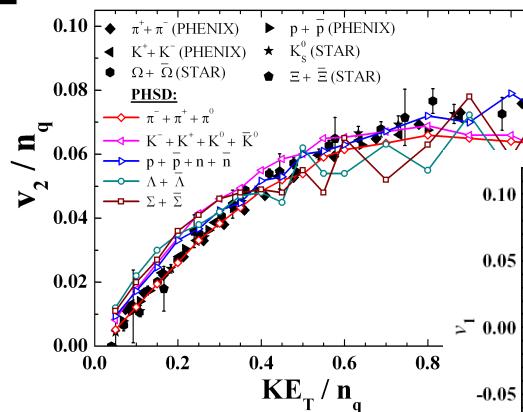
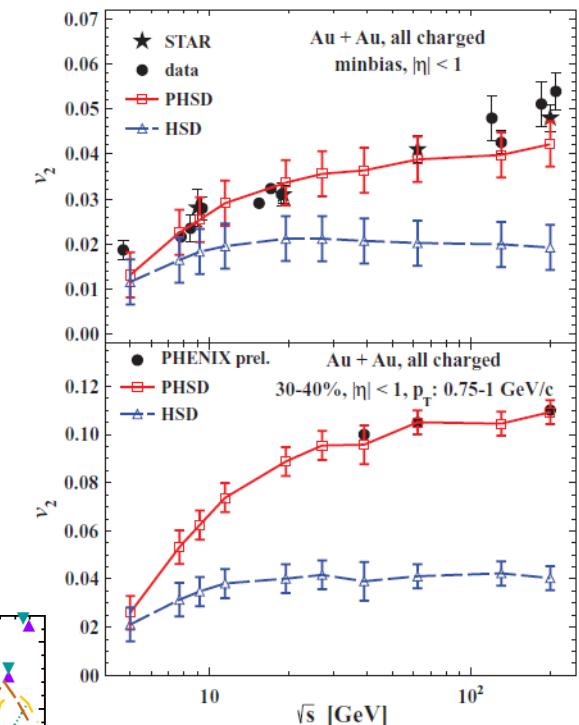
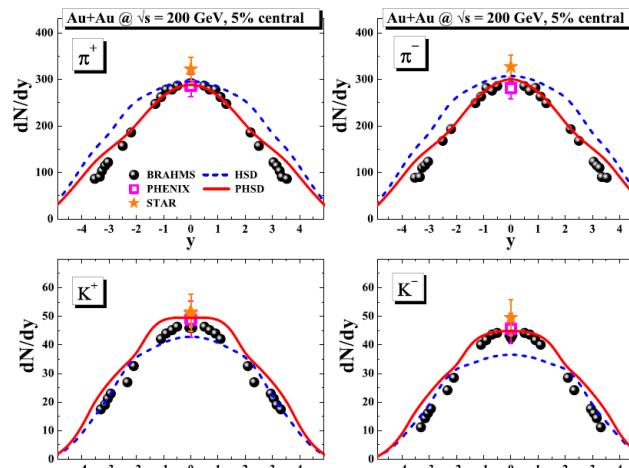
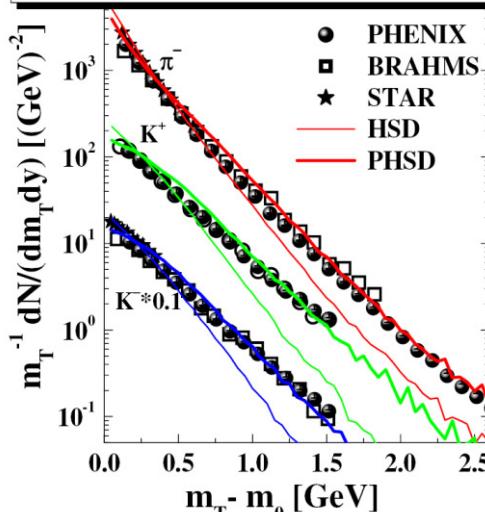
Fluctuating energy density $\epsilon(\text{GeV}/\text{fm}^3)$ in PHSD



PHSD for HIC (highlights)



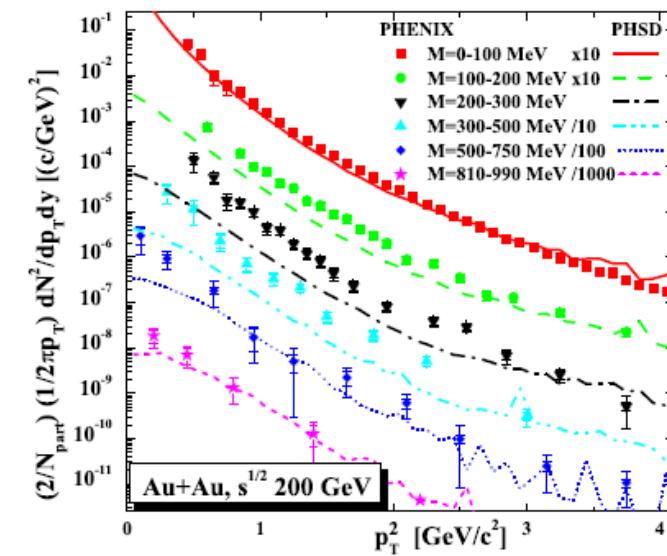
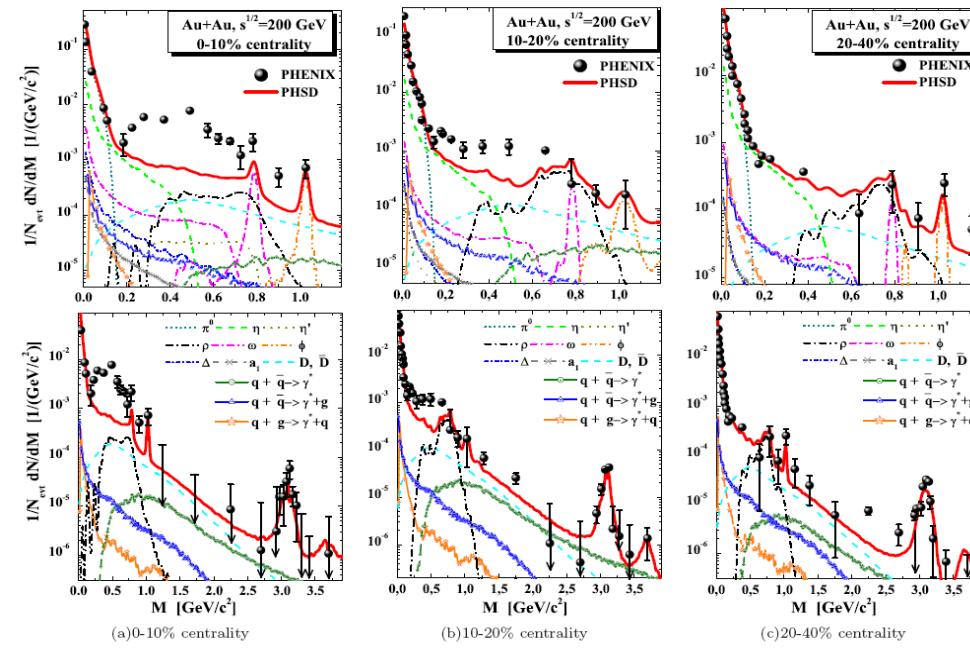
Au+Au @ $\sqrt{s} = 200$ GeV, 5% central, $|y| < 0.5$



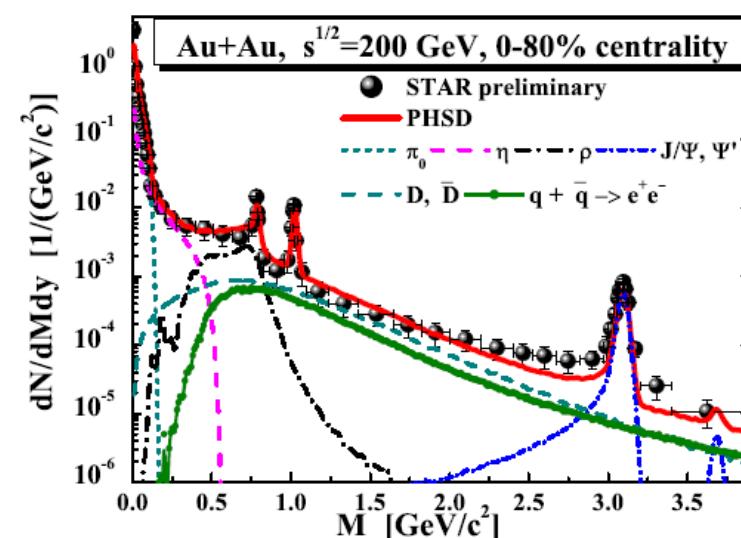
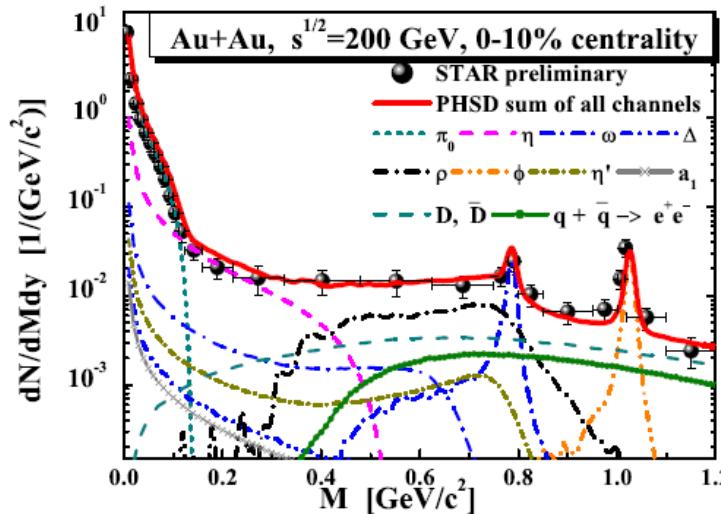
■ PHSD provides a consistent description of HIC dynamics from AGS to RHIC energies



PHENIX, STAR dilepton spectra



- PHENIX: Peripheral collisions (and pp) are well described, however, central fail!



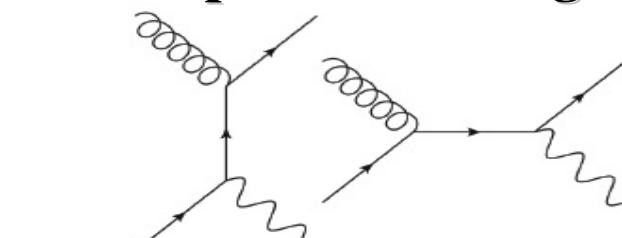
- STAR data are well described!

Photons from the hot and dense medium

- ❑ from the **QGP** via **partonic interactions**:

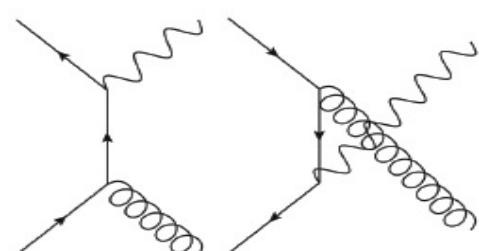
Photon sources:

Compton scattering



$$q(\bar{q}) + g \rightarrow q(\bar{q}) + \gamma$$

q-qbar annihilation



$$q + \bar{q} \rightarrow g + \gamma$$

- ❑ from **hadronic sources**:

- **decays of mesons:**

$$\begin{aligned} \pi &\rightarrow \gamma + \gamma, \quad \eta \rightarrow \gamma + \gamma, \quad \omega \rightarrow \pi + \gamma \\ \eta' &\rightarrow \rho + \gamma, \quad \phi \rightarrow \eta + \gamma, \quad a_1 \rightarrow \pi + \gamma \end{aligned}$$

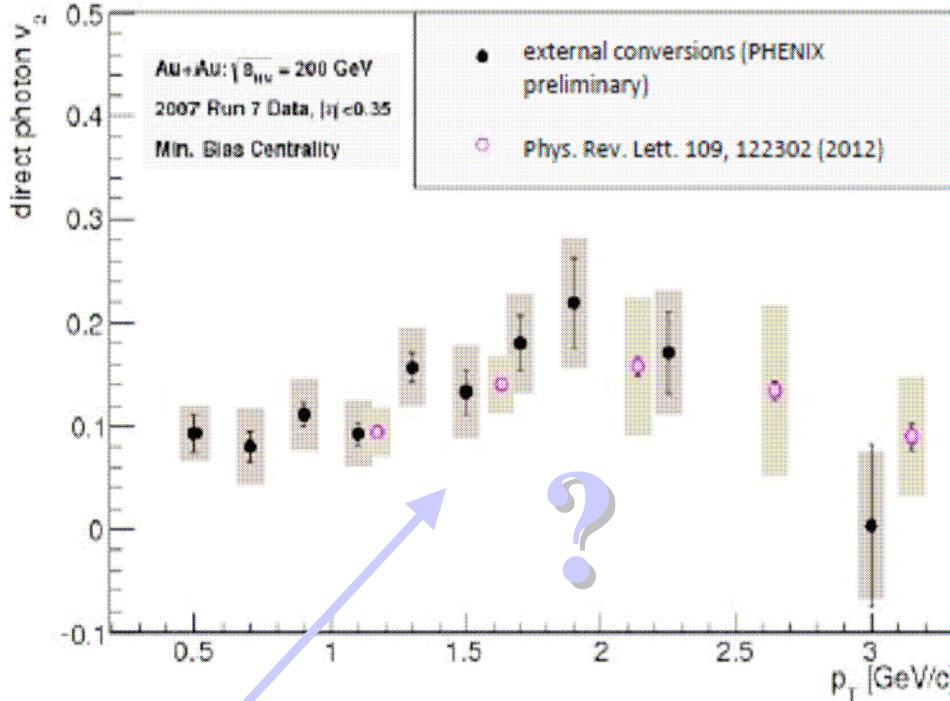
- **secondary meson interactions:** $\pi + \pi \rightarrow \rho + \gamma, \quad \rho + \pi \rightarrow \pi + \gamma$

using the off-shell extension of Kapusta et al. in PRD44 (1991) 2774

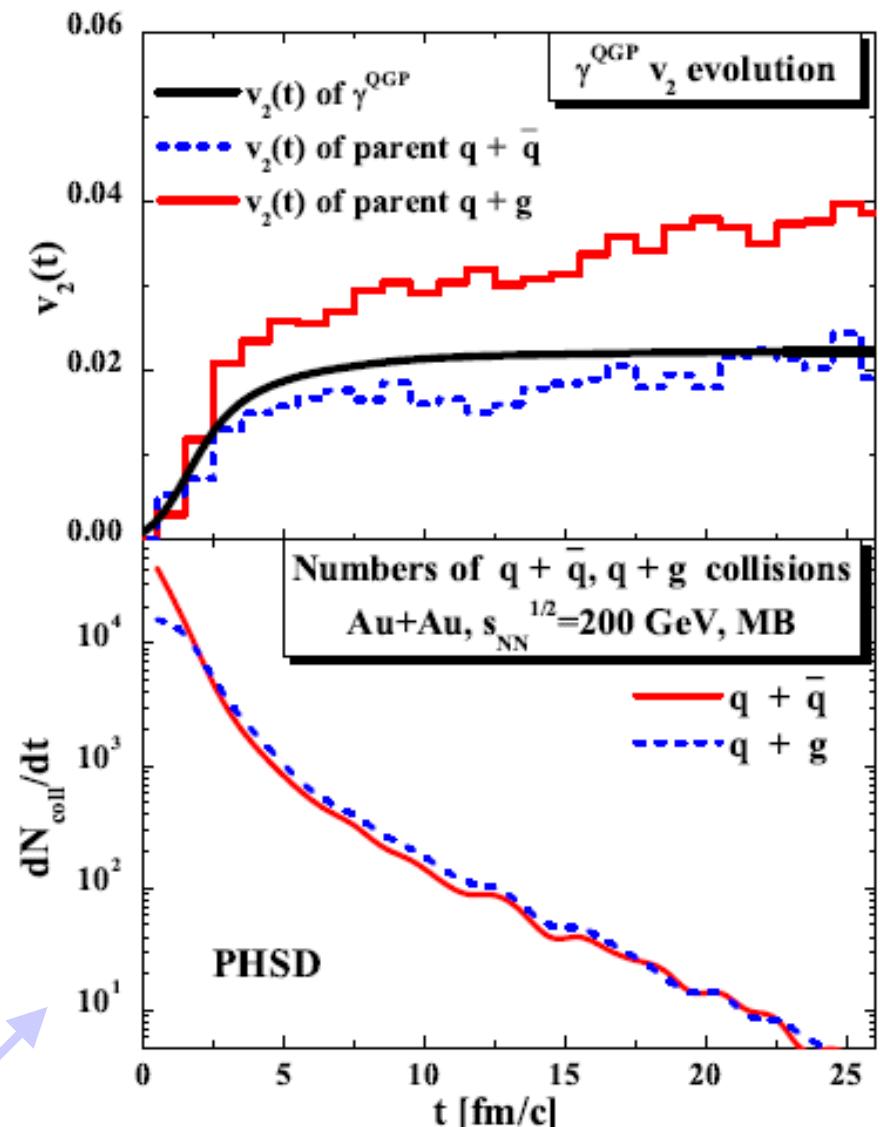
- **meson-meson bremsstrahlung:** $m+m \rightarrow m+m+\gamma, \quad m=\pi, \eta, \rho, \omega, K, K^*, \dots$

using the soft-photon approximation

Photon elliptic flow



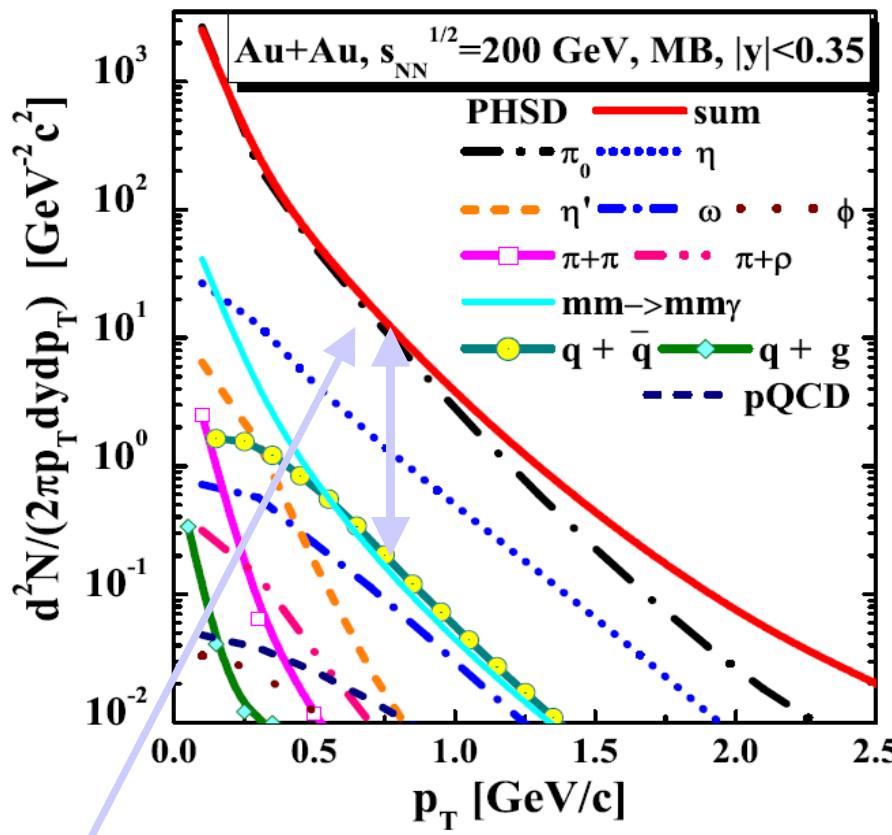
- Strong elliptic flow of photons seen by PHENIX is surprising, if the origin should be the QGP !



- QGP radiation occurs at early times when the flow is not yet developed!

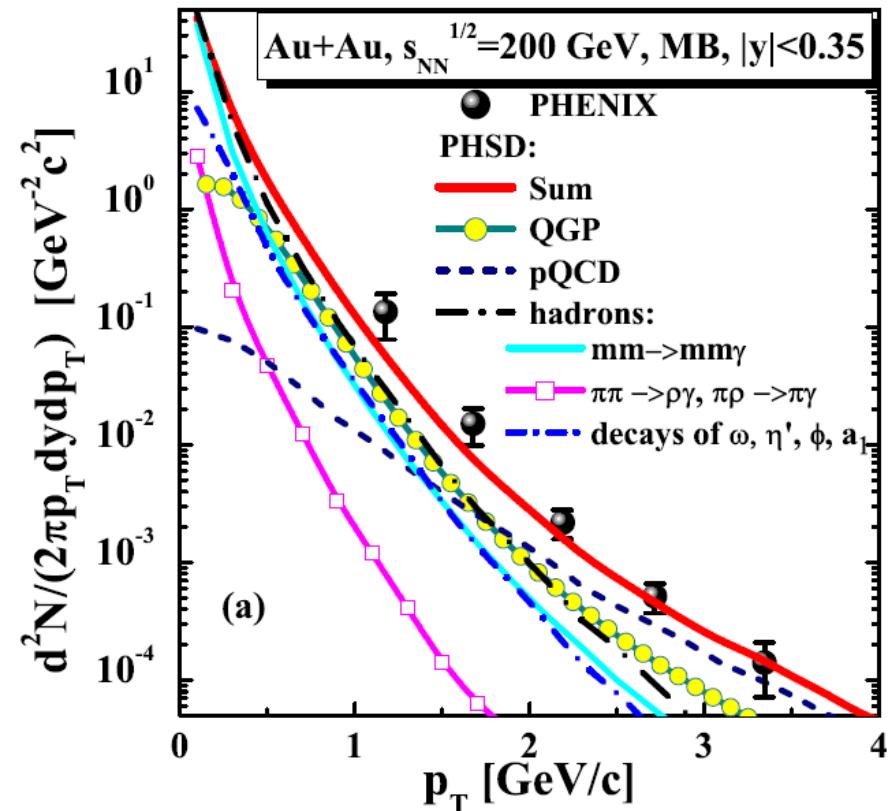
Photon spectra at RHIC

- Inclusive photon spectrum



- π^0 and η decays dominate the low p_T spectra
- QGP sources mandatory to explain the spectrum (~50%), but hadronic sources are considerable, too !

- π^0 and η subtracted photon spectrum

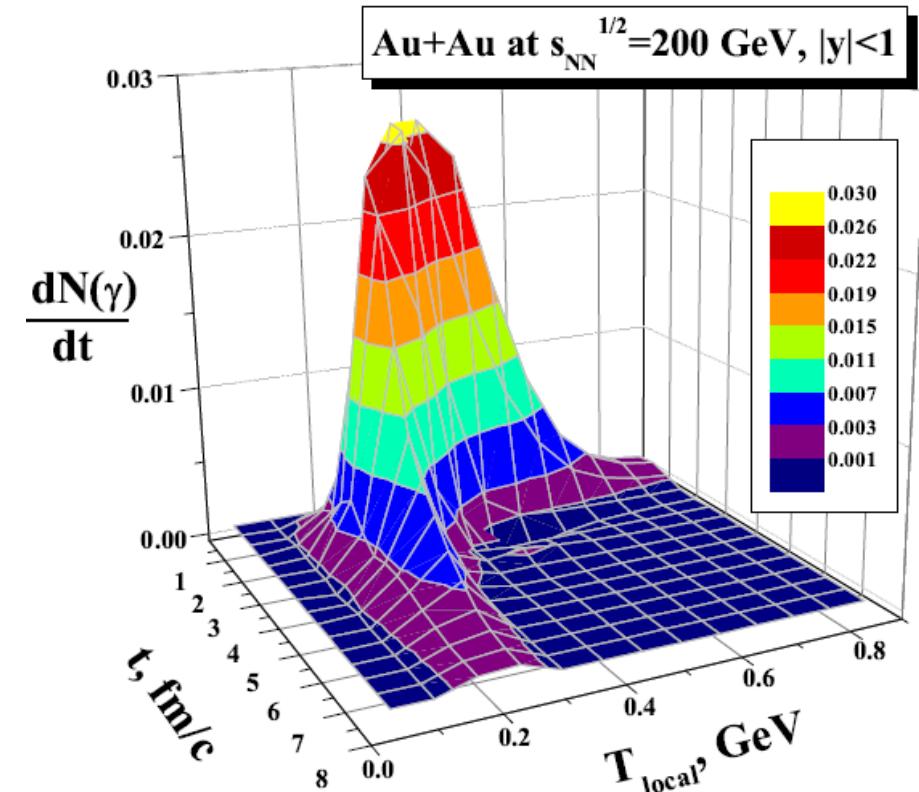
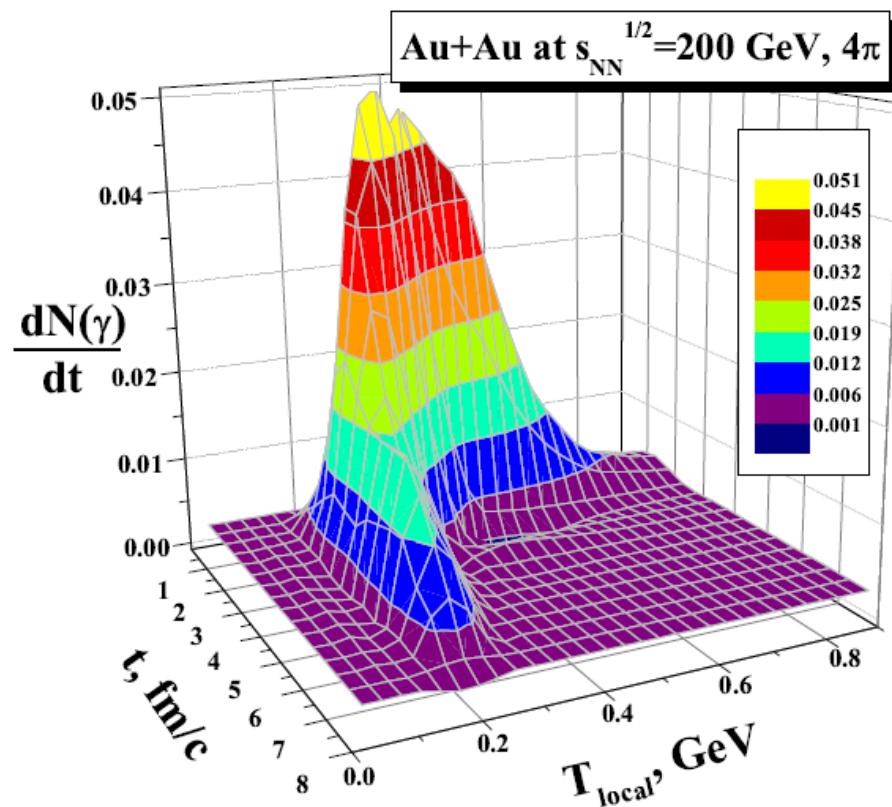


- The ‘effective temperature’ T_{eff} :

The slope parameter T_{eff} (in MeV)			PHENIX [38]
QGP	hadrons	Total	
260 ± 20	200 ± 20	220 ± 20	$233 \pm 14 \pm 19$

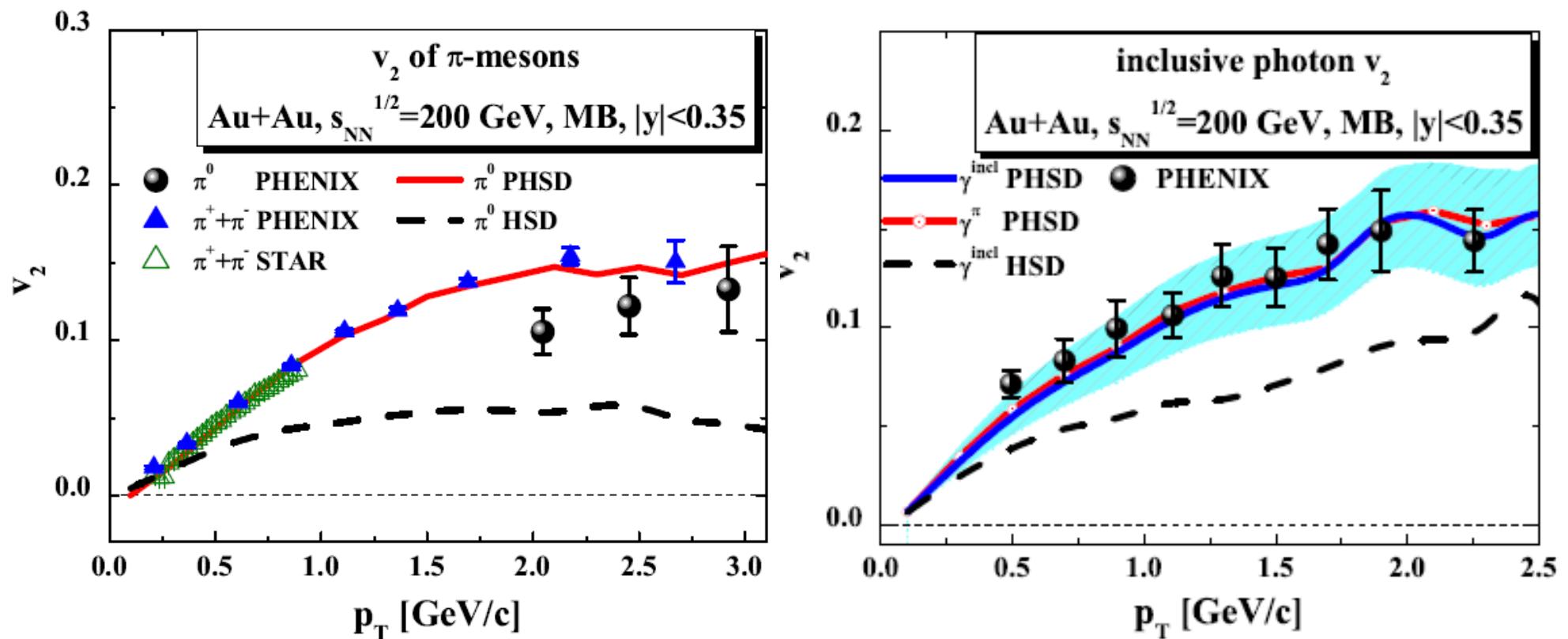
Time evolution of the photon production rate vs. T

- The photon production rate versus time and the local 'temperature' at the production point in 4π and mid-rapidity Au+Au collisions:



- Broad distribution of 'temperatures' → no universal 'temperature' can be assigned to the whole volume of the QGP - even in the mid-rapidity region !

Inclusive photon elliptic flow



- Pion elliptic flow is reproduced in PHSD and underestimated in HSD (i.e. without partonic interactions)
- → large inclusive photon v_2 - comparable to that of hadrons - is reproduced in PHSD, too, because the inclusive photons are dominated by the photons from pion decay

Elliptic flow from direct photons: method I

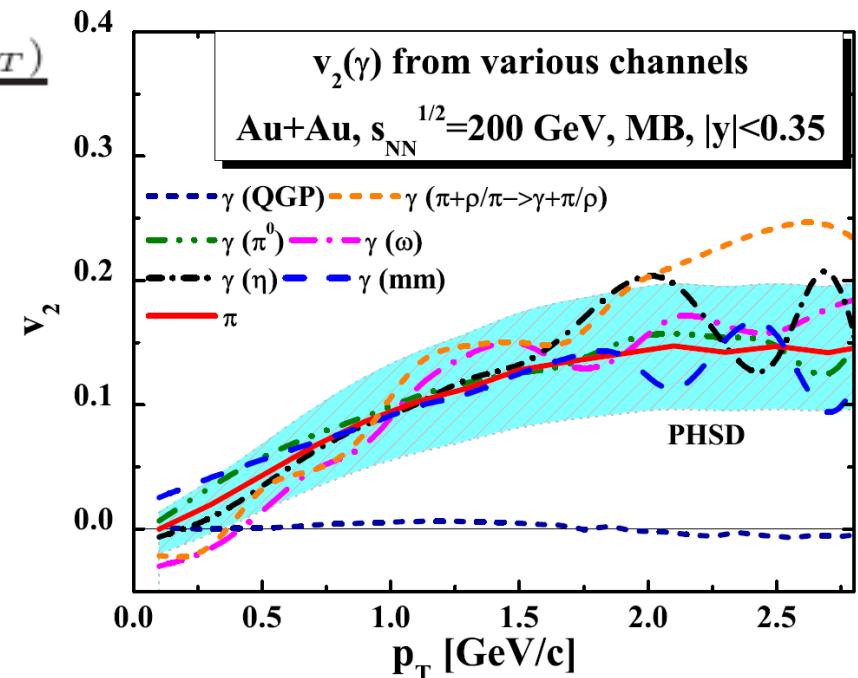
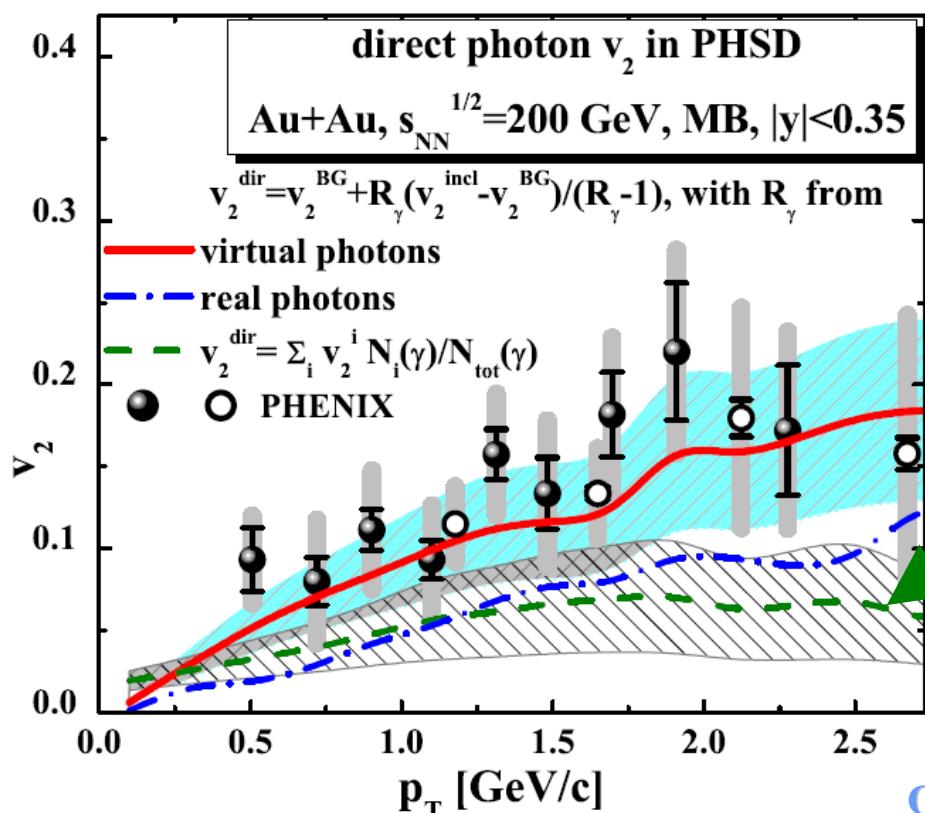
- ‘Weighted’ method (theor. way):

direct photon v_2 (in PHSD) = sum of v_2 of the individual channels, using their contributions to the spectrum as the relative p_T -dependent weights $w_i(p_T)$:

$$v_2(\gamma^{dir}) = \sum_i v_2(\gamma^i) w_i(p_T) = \frac{\sum_i v_2(\gamma^i) N_i(p_T)}{\sum_i N_i(p_T)}$$

$i = (\underline{q\bar{q} \rightarrow g\gamma, qg \rightarrow q\gamma, \pi\pi/\rho \rightarrow \rho/\pi\gamma, mm \rightarrow mm\gamma}$, pQCD)

QGP



▪ v_2 of direct photons in PHSD - as evaluated by the weighted average of direct photon channels – **underestimates clearly the exp. data !**

Elliptic flow from direct photons: method II

- ‘Background’ subtraction method (exp. way):

$$v_2(\gamma^{dir}) = \frac{R_\gamma v_2(\gamma^{incl}) - v_2(\gamma^{BG})}{R_\gamma - 1} = v_2(\gamma^{BG}) + \frac{R_\gamma}{R_\gamma - 1}(v_2(\gamma^{incl}) - v_2(\gamma^{BG}))$$

$$R_\gamma = N^{incl}/N^{BG}$$

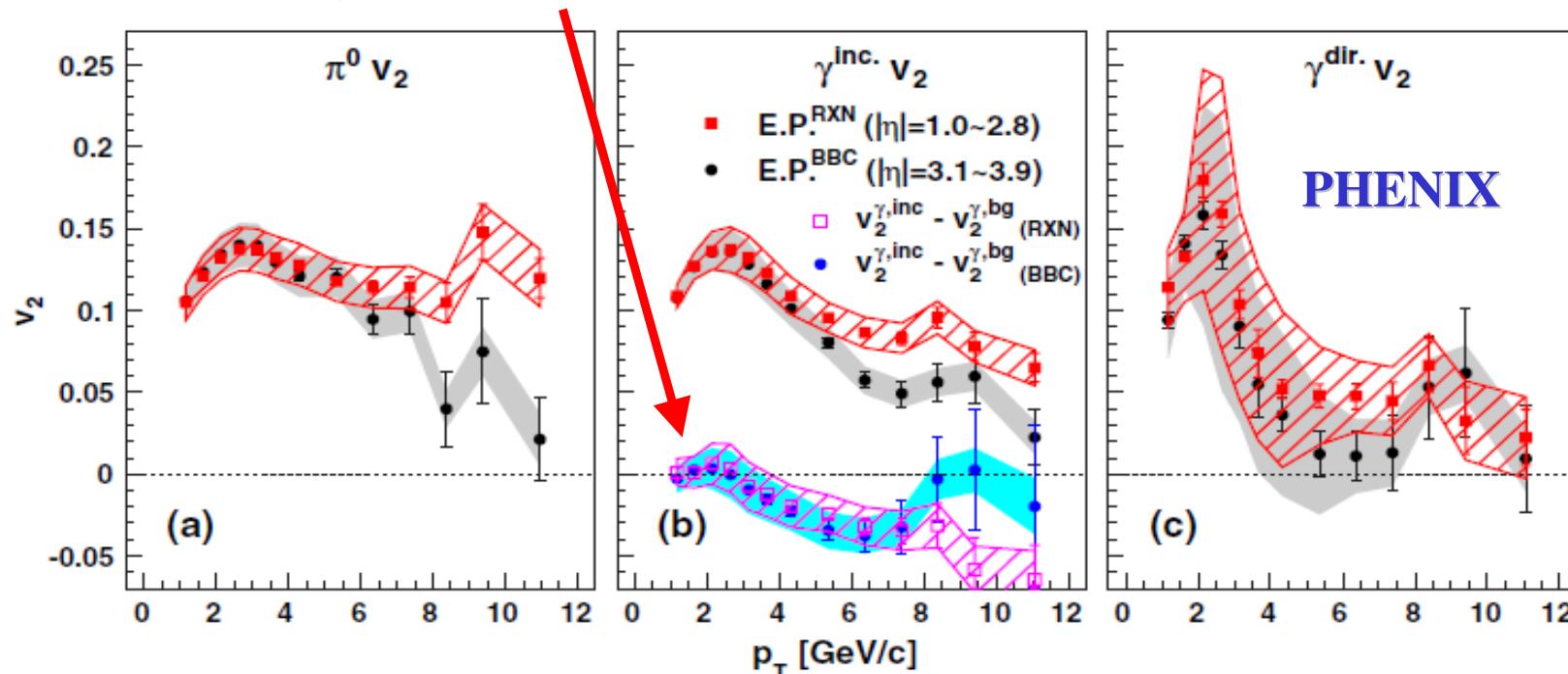
N^{incl} - number of inclusive photons

N^{BG} – number of photons attributed to hadron decays

→ Problem: $v_2(\gamma^{BG})$ and R_γ – ?

- 1) $v_2(\gamma^{BG})$ from $v_2(\pi^0)$ using $KE_T = m_T \cdot m$ scaling assumption →

$$(v_2(\gamma^{incl}) - v_2(\gamma^{BG})) = 0.01$$



Elliptic flow from direct photons: method II

- ‘Background’ subtraction method (exp. way):

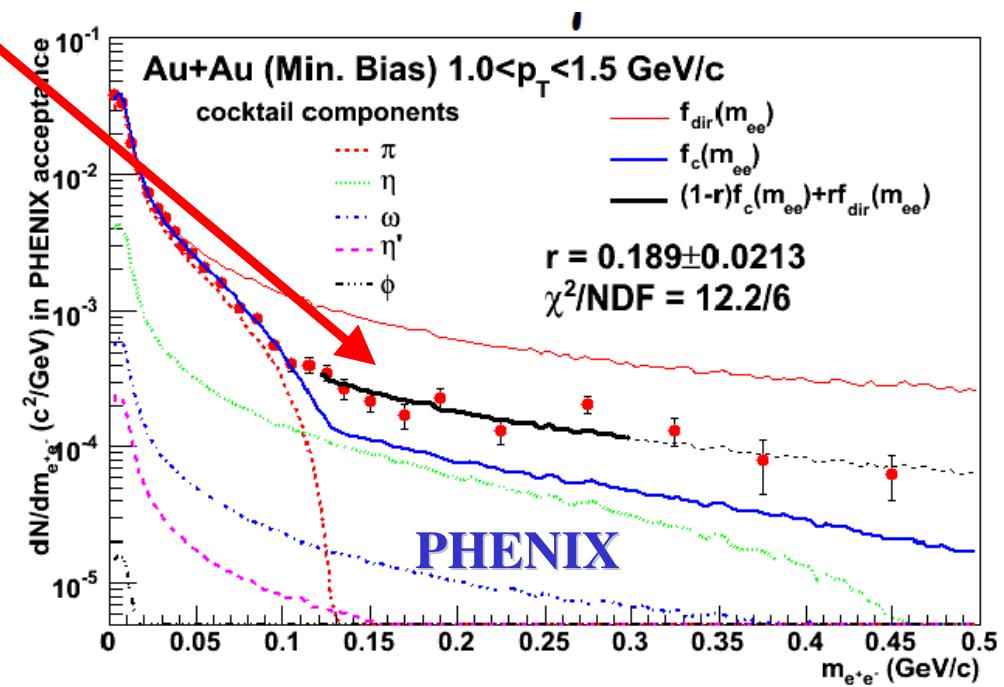
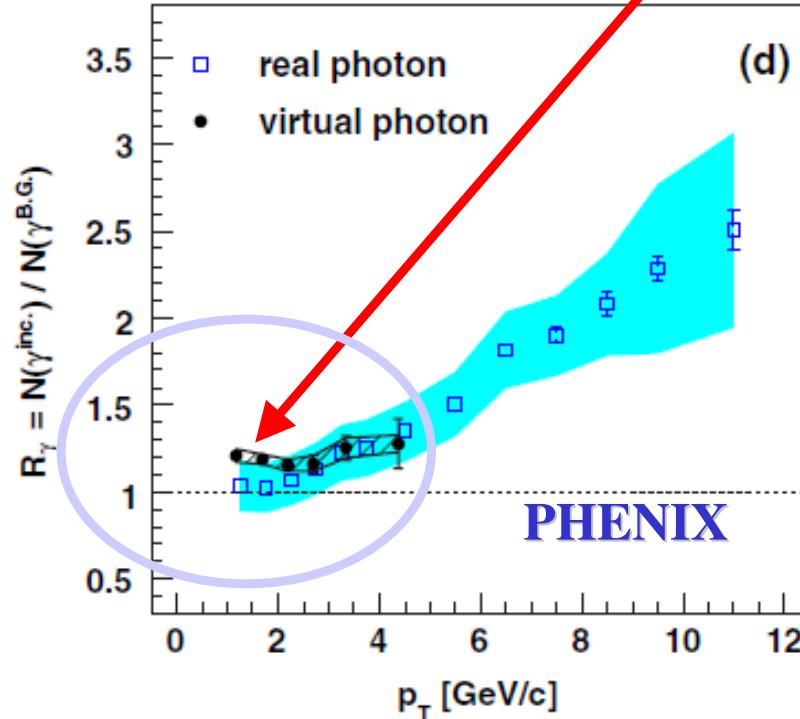
$$v_2(\gamma^{dir}) = \frac{R_\gamma v_2(\gamma^{incl}) - v_2(\gamma^{BG})}{R_\gamma - 1} = v_2(\gamma^{BG}) + \frac{R_\gamma}{R_\gamma - 1}(v_2(\gamma^{incl}) - v_2(\gamma^{BG}))$$

$$R_\gamma = N^{incl}/N^{BG}$$

N^{incl} - number of inclusive photons

N^{BG} – number of photons attributed to hadron decays

- 2) $R_\gamma(p_T)$ for $p_T < 4$ GeV/c from dilepton spectra at $M=0.15-0.3$ GeV →



Elliptic flow from direct photons: method II

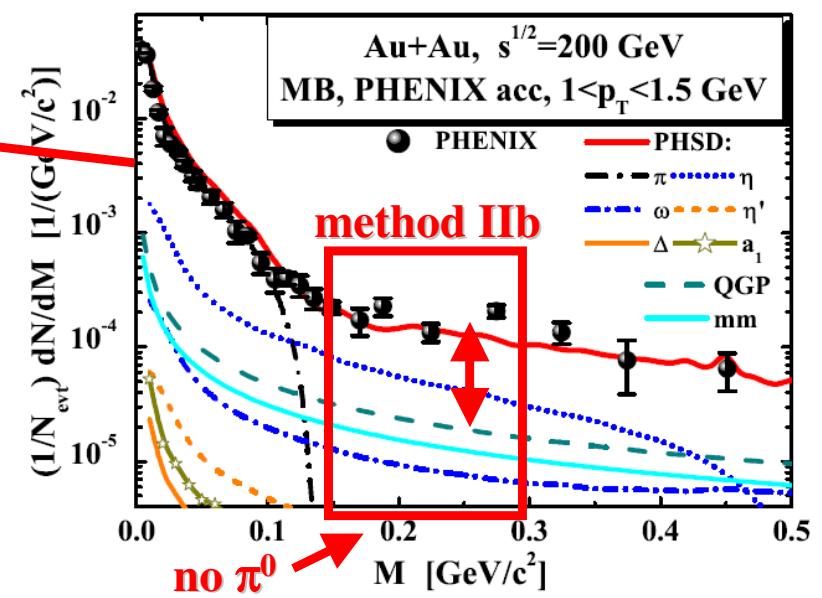
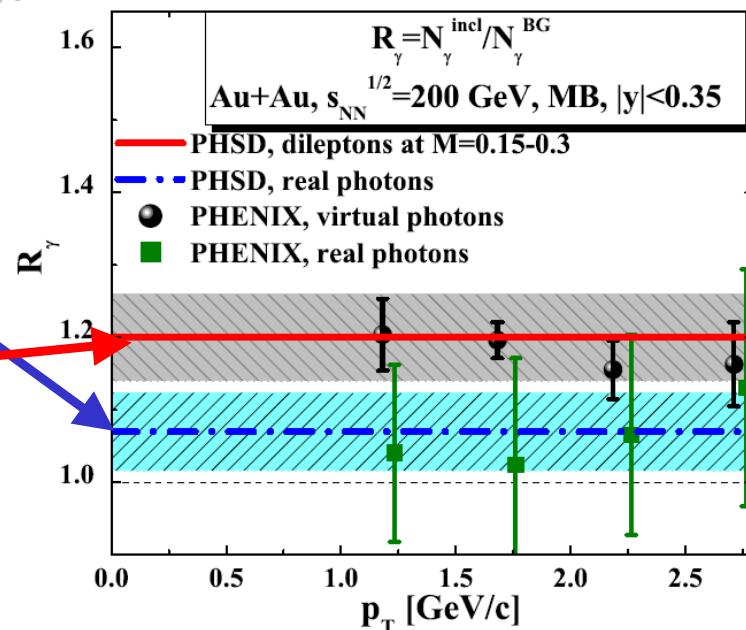
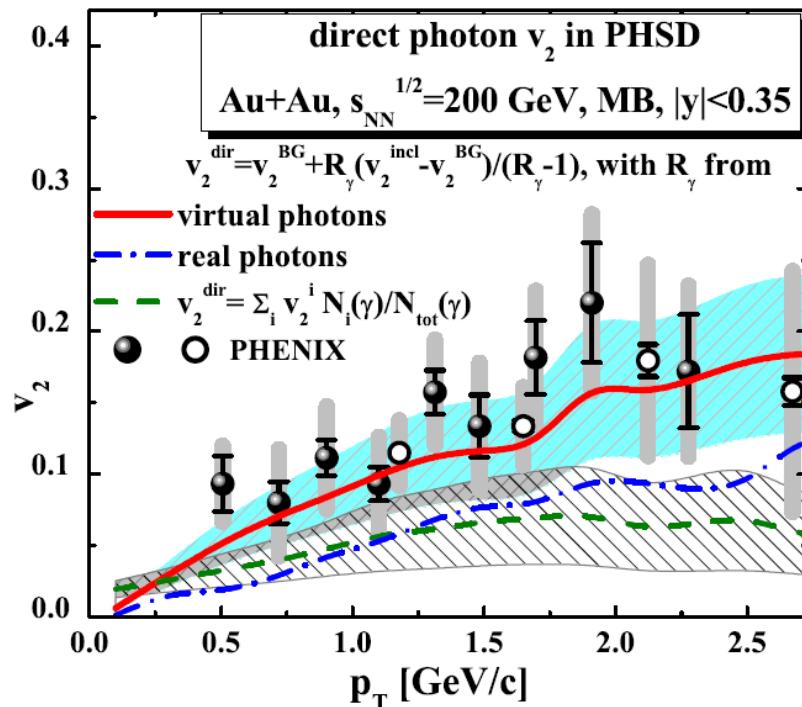
- ,Background‘ subtraction method (exp. way):

$$v_2(\gamma^{dir}) = \frac{R_\gamma v_2(\gamma^{incl}) - v_2(\gamma^{BG})}{R_\gamma - 1}$$

$$R_\gamma = N^{incl}/N^{BG}$$

IIa) from **real photons** $R_\gamma \sim 1.05$

IIb) from **virtual photons** $R_\gamma \sim 1.2$



- v_2 of direct photons in PHSD - as evaluated by the ‘background‘ subtraction method IIb - is consistent with PHENIX data!



Summary

- PHSD provides a consistent description of off-shell parton dynamics in line with the lattice QCD equation of state
 - minimum of η/s close to T_c
→ QGP in PHSD behaves almost as a strongly-interacting liquid
 - minimum of σ_0/T close to T_c
→ the QCD matter is a good electric conductor
- PHSD for HIC:
 - Direct photons: the photons produced in the QGP contribute about 50% to the observed spectrum but have small v_2
 - The large measured ‘direct photon v_2 ’ – comparable to that of hadrons – is attributed to intermediate hadronic scattering channels and hadronic resonance decays not subtracted from the data;
the value of v_2 is sensitive to the hadronic ‘background’ subtraction method!
 - The QGP phase causes the strong elliptic flow of photons indirectly by enhancing the v_2 of final hadrons due to the partonic interactions in terms of explicit parton collisions and the mean-field potentials!



PHSD group



Wolfgang Cassing (Giessen Univ.)
Volodya Konchakovski (Giessen Univ.)
Olena Linnyk (Giessen Univ.)
Thorsten Steinert (Giessen Univ.)
Elena Bratkovskaya (FIAS & ITP Frankfurt Univ.)
Vitalii Ozvenchuk (now in Nantes Univ.)
Rudy Marty (FIAS, Frankfurt Univ.)
Hamza Berrehrah (FIAS, Frankfurt Univ.)
Daniel Cabrera (ITP&FIAS, Frankfurt Univ.)
Taesoo Song (ITP&FIAS, Frankfurt Univ.)
Andrej Ilner (HGS-HIRe Frankfurt Univ.)



External Collaborations:

SUBATECH, Nantes Univ. :

Jörg Aichelin
Christoph Hartnack
Pol-Bernard Gossiaux

Texas A&M Univ.:

Che-Ming Ko

JINR, Dubna:

Vadim Voronyuk
Viatcheslav Toneev

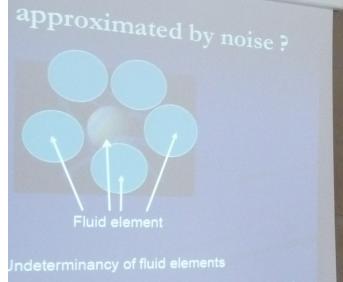
Kiev Univ.:

Mark Gorenstein

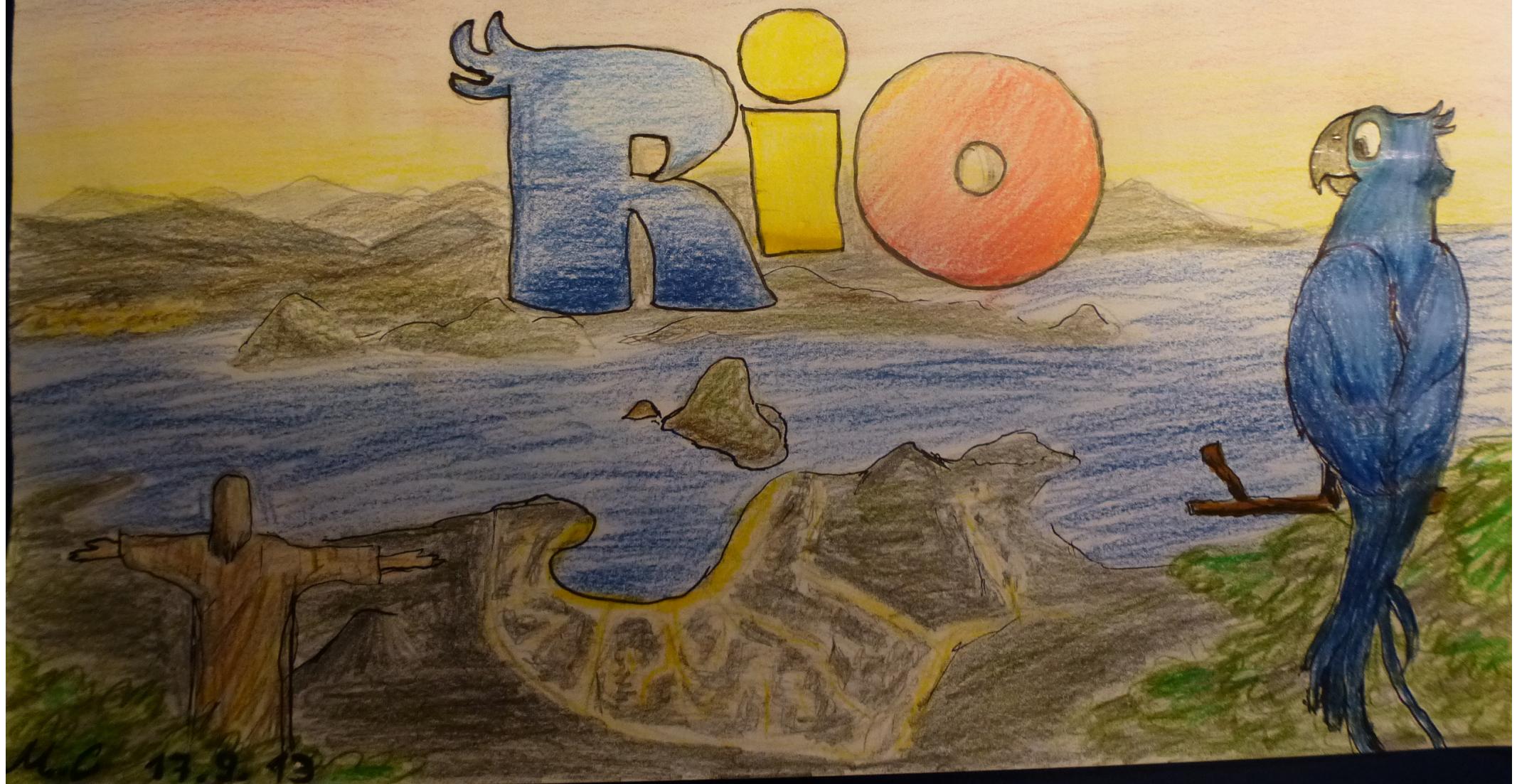
Barcelona Univ.

Laura Tolos, Angel Ramos





Happy birthday, Takeshi!



M.C. 17.9.13